Higgs via Vector Boson Fusion

January 24, 2014

http://theory.fnal.gov/jetp

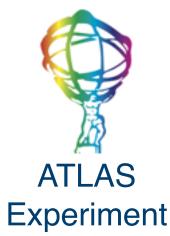




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Outline



Introduction

- Higgs, Higgs via vector boson fusion (VBF)
- ATLAS at LHC

Focus on similar final states

Missing E_T (MET)

• VBF
$$H \rightarrow WW^* \rightarrow e \mu \quad v_e v_\mu$$

• VBF $H \rightarrow \tau\tau \rightarrow \ell h \quad v_\ell v_\tau v_\tau$

Putting it together

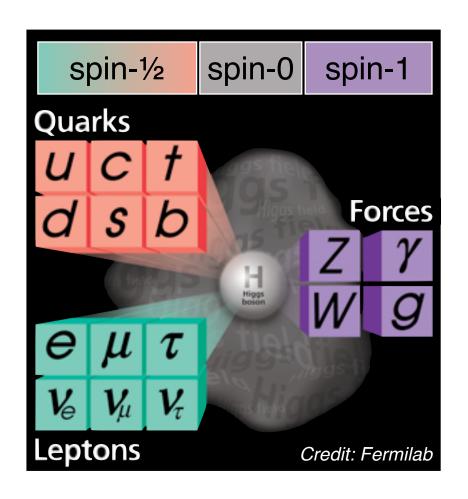
→ 2 lepton-like objects

References [a] *HWW*, ATLAS-CONF-2013-030 - Mar. 2013 [b] Combo, Phys. Lett. B726 (2013) 88 - Oct. 2013 [c] *Hττ*, ATLAS-CONF-2013-108 - Dec. 2013

Higgs found at 125 GeV

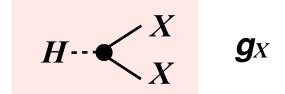


Allows fermion mass terms, restores electroweak symmetry



Divide into two groups

Tree relation for massive "X"



Loop relation for massless "Y"



Higgs boson theory - all true?

Higgs boson theory



Massive M

Fermions $F \equiv q$, ℓ

$$H -
eg F g_F \propto -\frac{M_F}{vev}$$

$$g_F \propto -\frac{M_F}{vev}$$

Massless

Gluon g

$$H - \langle t | g \rangle$$

Beyond scope of talk

Higgs mass stabilization

$$H$$
- $?$ - $\cdot H$

Vector bosons $V \equiv W$, Z

$$H$$
··• V

$$H-4 \frac{V}{V} g_V \propto +2 \frac{(M_V)^2}{vev} H-4 \frac{V}{V}$$

Photon y

$$H - \underbrace{t}^{\gamma}$$

Higgs self-interaction

$$H - \bullet : H$$

$$g_{2H} \propto -3 \frac{(M_H)^2}{vev}$$

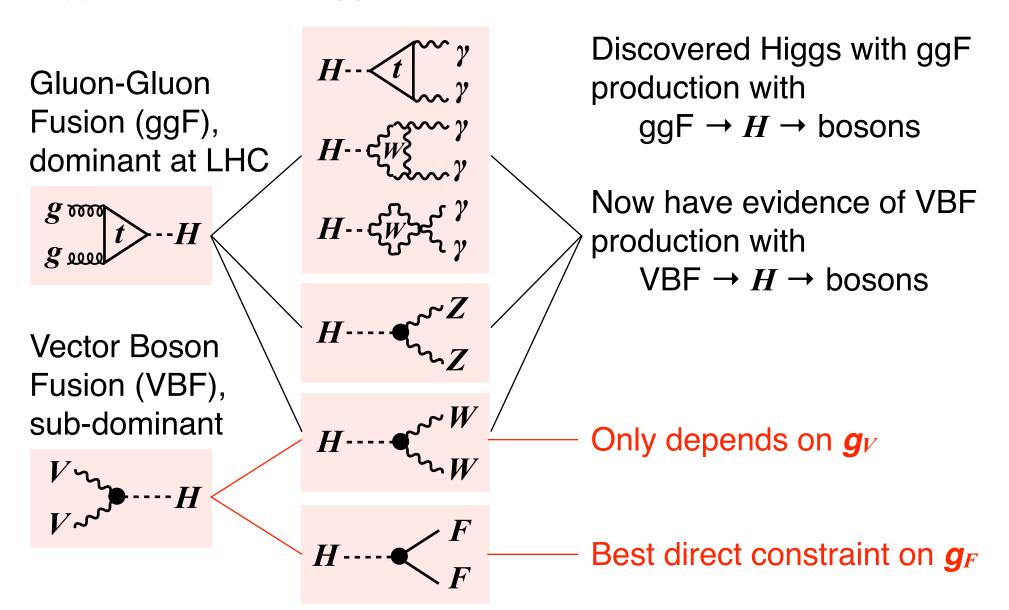
$$H - \bullet \stackrel{\cdot \cdot \cdot \cdot H}{\leftarrow H} g_{3H} \propto -3 \frac{(M_H)^2}{vev^2}$$

Lots to probe experimentally at the LHC.

What's measured

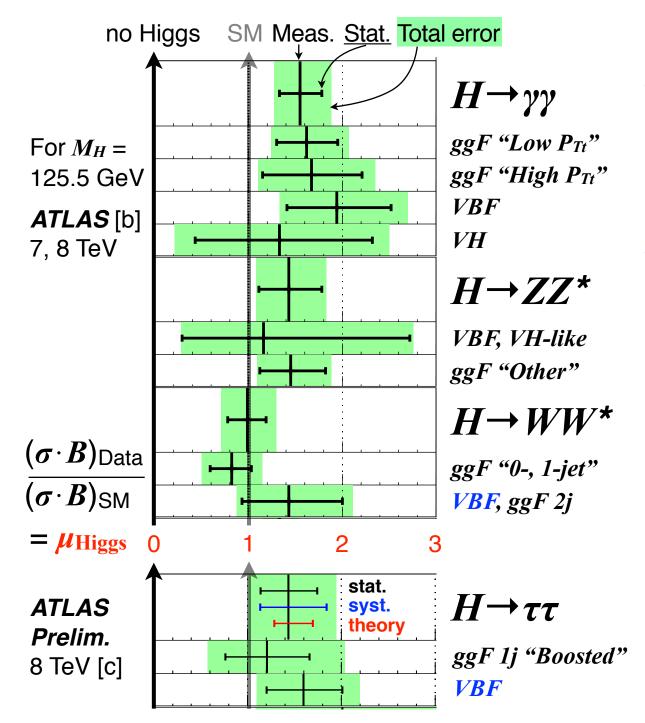


Higgs productions Higgs decays



ATLAS Higgs summary





I describe two analyses

Why VBF HWW

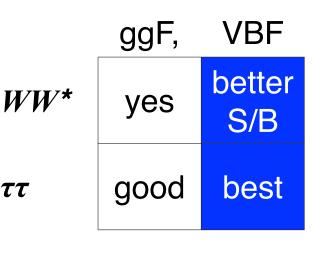
- I worked on it
- Best g_V , VBF $HWW 2.5\sigma$

Why VBF *Hττ*

ττ

- Penn student work
- Direct g_F , $H\tau\tau$ 4.1 σ (Dec.)

Important now, also Run-2



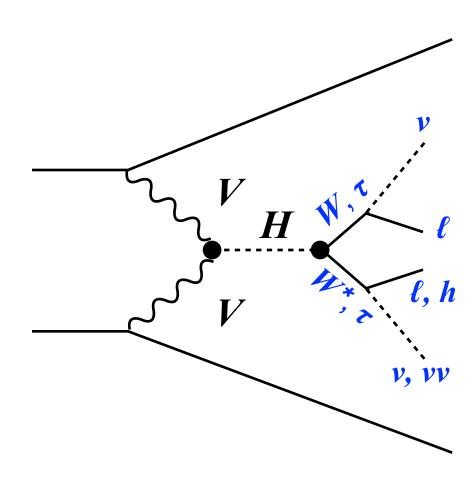
Analysis similarities

 $VBF H \rightarrow WW^* \rightarrow e\mu$, $VBF H \rightarrow \tau\tau \rightarrow \ell h$



Tag production

Tag decay



Two jets, two "leptons," MET

Analysis similarities

VBF $H \rightarrow WW^* \rightarrow e\mu$, VBF $H \rightarrow \tau\tau \rightarrow \ell h$



Tag production

Same

 Tag decay

Similarities

- Trigger on e, μ
- 2 "leptons," 2 neutrinos
- *MET*, no sharp mass peak

Differences

- Decay kinematics physics
- One $\tau \rightarrow hadronic$

Two jets, two "leptons," MET

LHC as a vector boson collider



Vector-boson fusion

Cahn, Dawson, PLB 136 (1984) 196

Higgs **V**ector boson

Fig. 1. Higgs boson production from virtual vector boson pairs (V = W or Z). The initial state quark (or anti-quark) momenta are p_1 and p_2 and the corresponding final state momenta are p'_1 and p'_2 . The momenta of the virtual vector bosons are q_1 and q_2 .

 \sim VBF jet: high- P_T , high- η

How rates relate to g_V

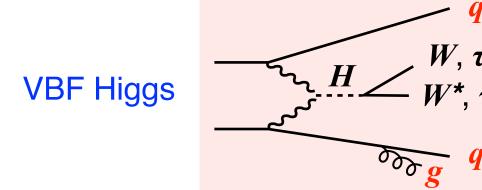
- WW^* rate $\propto |g_V^2|^2$
- $\tau\tau$ rate $\propto |\mathbf{g}_V \cdot \mathbf{g}_F|^2$

All VBF Higgs inputs to g_V

Major backgrounds



Energy deposits Jets

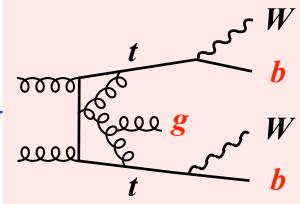


 W, τ No color near H No extra jets inside

Jet sep

Jets widely separated

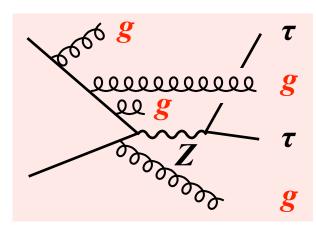
ttbar, bkg. to *WW**



Hadronic activity

Jets not as separated

Z jets, bkg. to au au



Hadronic activity



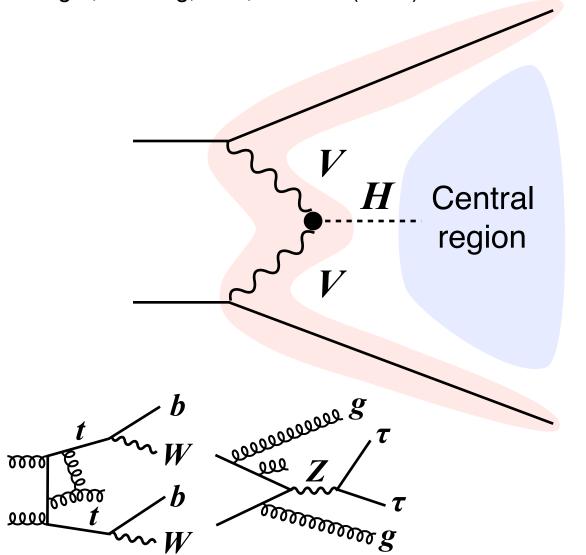
Jets not as separated

General feature of VBF production



VBF "central region"

Zeppenfeld, Rainwater, PRD 60 (1999) 113004 Barger, Cheung, Han, PRD 42 (1990) 3052



Why

- Vector bosons are colorless
- No color between jets

Consequence 1

 Less hadronic activity between jets in VBF

Consequence 2

 Higgs decay daughters between jets in VBF

Effective in rejecting non-VBF

VBF jets

Two highest- P_T jets separated by $\Delta \eta$

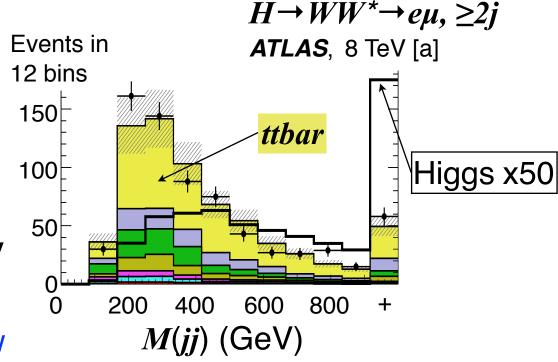


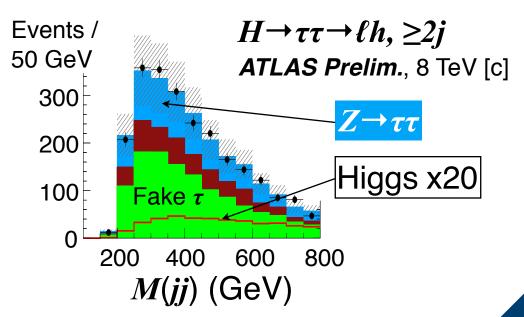
Physics of jj invariant mass

- More powerful than $\Delta \eta$ alone
- $M(jj) \approx \sqrt{P_{T1} \cdot P_{T2} \cdot e^{\Delta \eta}}$ $\sim \langle P_{T, jet} \rangle e^{\Delta \eta / 2}$
- Example: $40 \cdot e^{3/2} = 180 \text{ GeV}$

VBF has high value, non-VBF low

M(ij) great v. all backgrounds



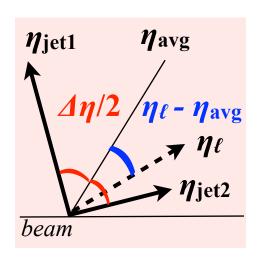


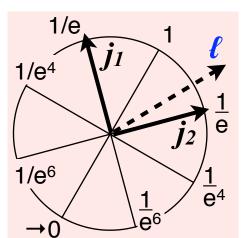
VBF central region in η



Quantify if object is in the central region

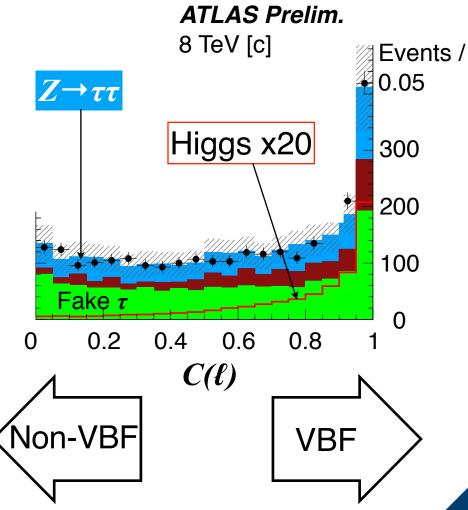
- Consider "centrality" of object w.r.t. VBF jets
- Example here takes lepton, but same for all





ℓ in between jets or not?

$$C(\ell) = e^{-\left|\frac{\eta_{\ell} - \eta_{\text{avg}}}{\Delta \eta/2}\right|^2}$$



 $H \rightarrow \tau \tau \rightarrow \ell h \geq 2i$

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- → ATLAS at LHC

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 $v_e v_\mu$
• VBF $H \to \tau \tau \to \ell h$ $v_\ell v_\tau v_\tau$

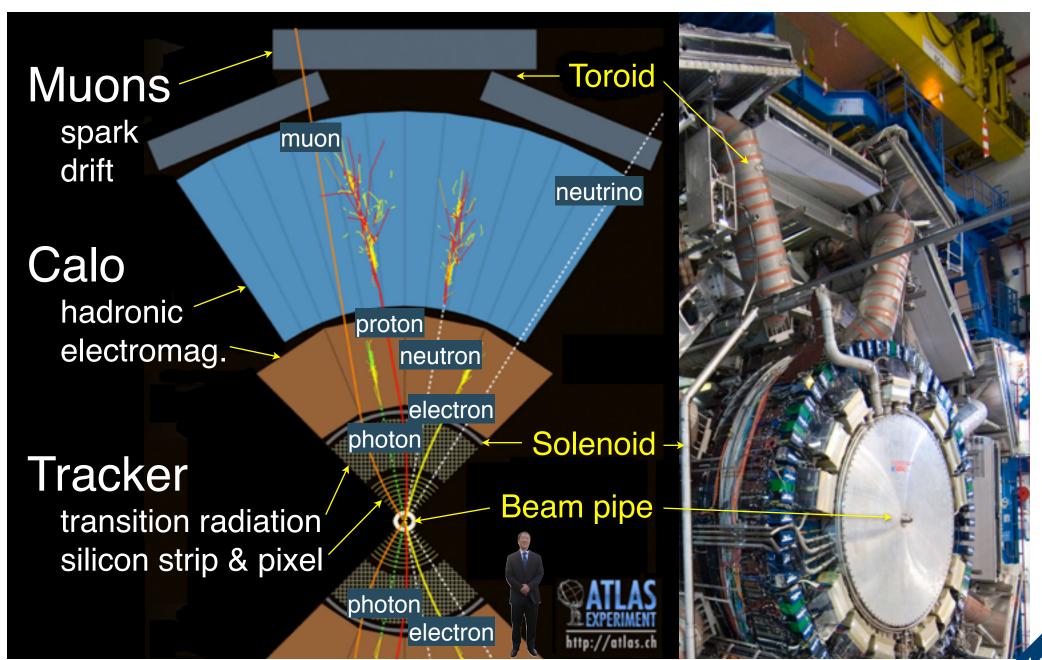
Putting it together

→ 2 lepton-like objects

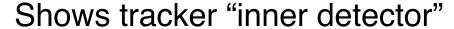
ATLAS detector

2 magnets, 3 sub-detector groups





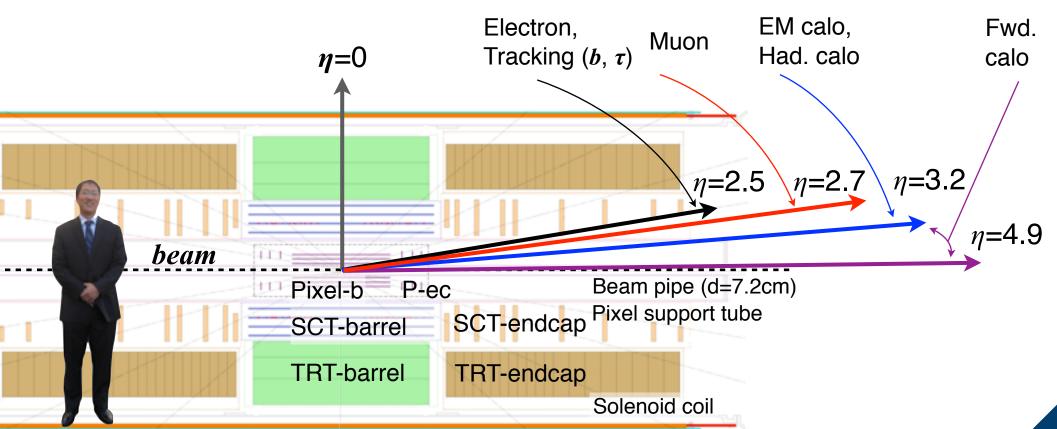
ATLAS η coverage





Coverage important for analyses

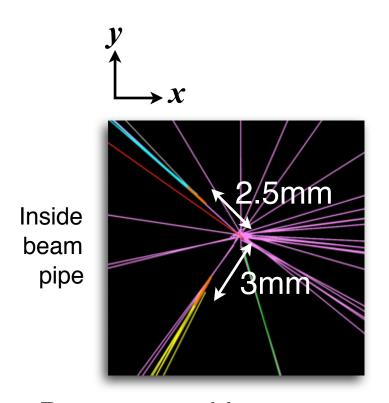
- Lepton up to ~2.6
- Jet up to 4.5 → crucial to tag forward VBF jets
- Tracking up to 2.5 → limitation for ttbar rejection



b quark jets







Data *ttbar* with two tagged b

Why **b** important

• Reject *ttbar* for $H \rightarrow WW^*$

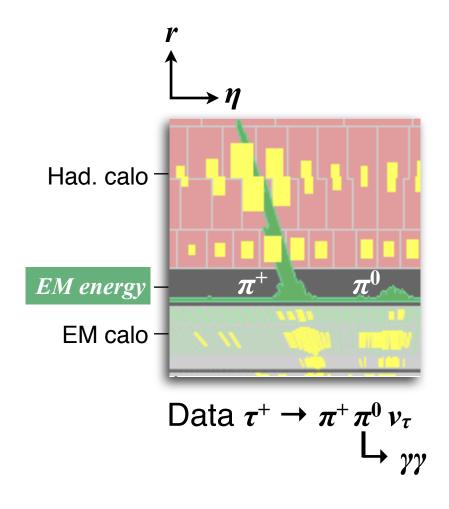
Multivariate *b* identification

- 85% signal efficiency
- 10x rejection of light jets, 2.5x c jets

Hadronic *τ* "jets"

Hong

"Long" lifetime of 0.1mm, unique shower pattern



Why hadronic τ important

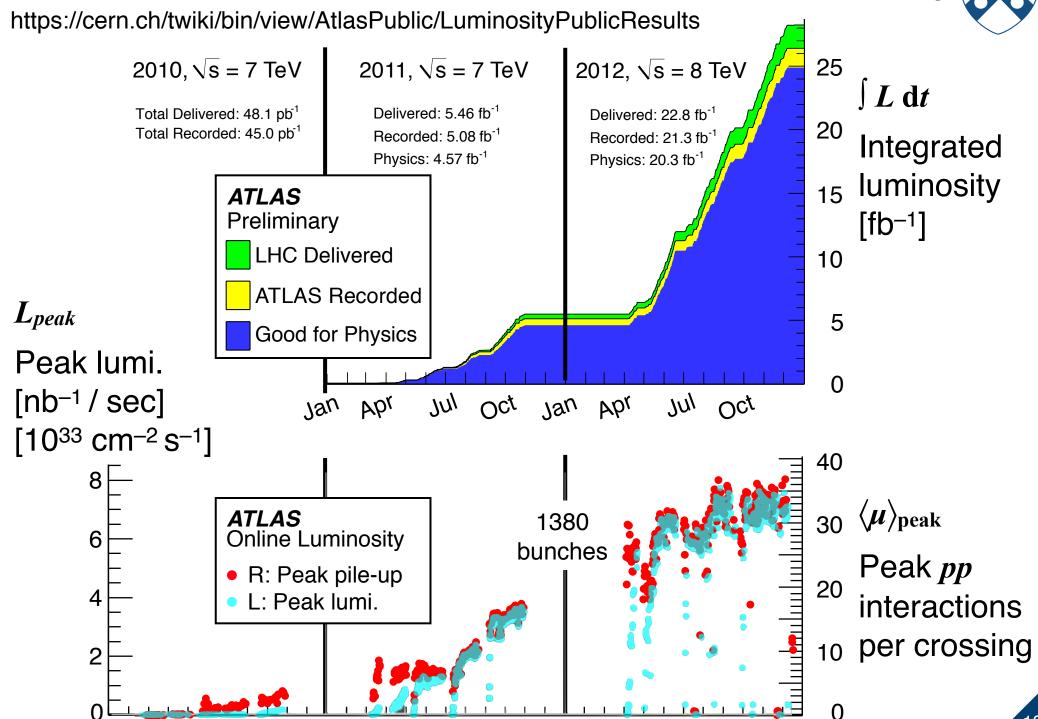
• $B(\tau \rightarrow h v_{\tau}) = 0.6$ for $H \rightarrow \tau \tau \rightarrow \ell h$

Multivariate τ identification

- 60% signal efficiency
- 20x rejection of light jets

ATLAS data





Event rates



Production rates for $L_{peak} = 8 \text{ nb}^{-1}/\text{sec}$

•
$$\sigma_{\text{inelastic}} = 60 \text{ mb} \rightarrow 5.10^8 \text{/sec}$$

•
$$\sigma_{Z \to \mu\mu} = 8 \text{ nb}$$

•
$$\sigma_{gg \to H} = 20 \text{ pb}$$

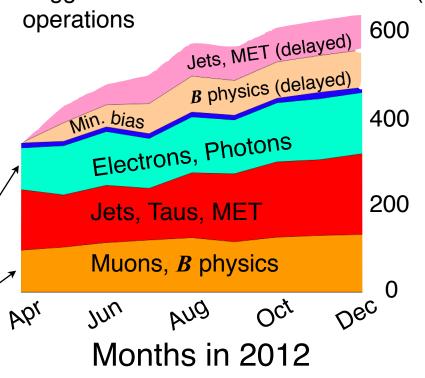
•
$$\sigma_{VV \to H} = 2 \text{ pb}$$

ATLAS Triggered events saved to disk (Hz) Trigger

Need large reduction of background while saving Higgs events

Analysis triggers

- VBF $H \to WW^* \to e \mu v_e v_\mu$ VBF $H \to \tau \tau \to \ell h v_\ell v_\tau v_\tau$
- Both trigger on $\ell = e, \mu > 24 \text{ GeV}$



How many Higgs did LHC make?



Formula

• $N_{pp \to H \to xyz} = L \cdot \sigma_{pp \to H} \cdot B_{H \to xyz}$

Production $\sigma_{pp \to H}$

Heinmeyer et al., CERN-2013-004

- ggF theory uncertainty ~10%
- VBF theory uncertainty ~ 3%
- VH, ttH smaller cross-section

Diagram

| I | (8 | T۵۱ | / ` |
|---|----|-----|------------|
| L | (8 | Te\ | , |

$$\sigma_{pp \to H}$$

$$N_{pp \to H}$$

| ggF | VBF | | | |
|---------------------|---|--|--|--|
| g_{000} t H | $q \frac{1}{V} \frac{1}{V} \cdots H$ $q \frac{1}{V} \frac{1}{V} \cdots H$ | | | |
| 21 fb ⁻¹ | | | | |
| 19,270 fb | 1,580 fb | | | |
| _ | | | | |

33k

| Decay $B_{H \to xyz}$ | | |
|-----------------------|------------|----------|
| | H~W | 21% |
| | Via loo | 9% |
| 57% H-< | τ | 6% |
| | 1 3 | 3% 8% |
| | 11 | % rest |
| | (0 |).2% γγ) |

| $N_{H 	o ww^*}$ $N_{H 	o 	au	au}$ | 90k 25k | 7k 2k |
|---|------------|------------|
| $N_{WW^*	o e\mu} \ N_{	au	au	o \ell h}$ | 2k 10k | 200 800 |

400k

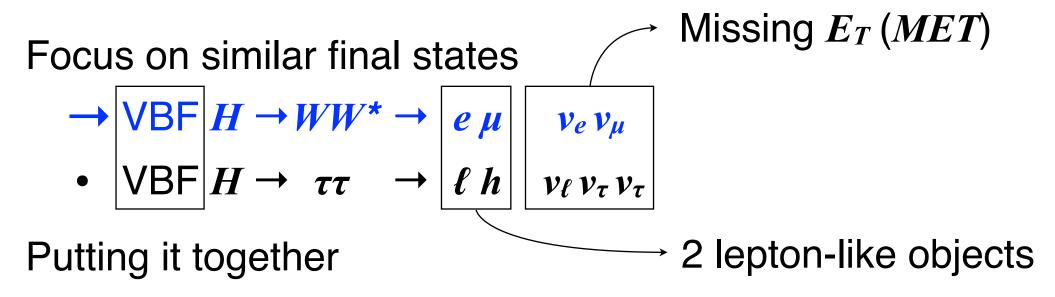
O(1000) VBF Higgs in this talk

Outline



Introduction

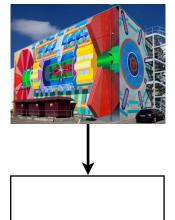
- Higgs via VBF
- ATLAS at LHC



VBF $WW^* \rightarrow e\mu$

Hong

Analysis flowchart



Trigger on ℓ mostly

Pre-sel.

• Require non-*b jets* with $\Delta \eta_{ij} \gtrsim 3$

• Require e, μ , MET

Already discussed

Analysis

- Select on VBF production properties.
- Select on H→ WW* decay properties
- Background model validation

Results

• Fit $M_{T, \, \mathrm{Higgs}}$ to get $\mu_{\mathrm{Higgs}, \, \mathrm{VBF}}$

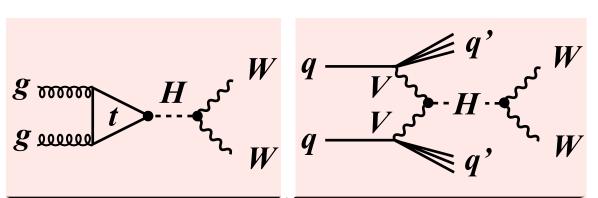
This section

Analysis Results

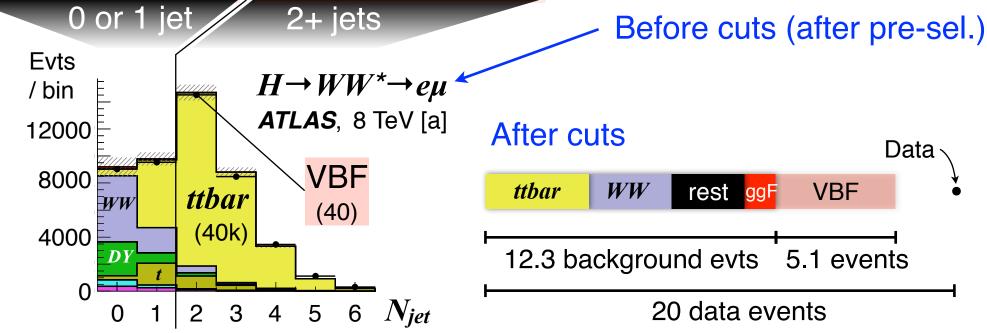
WW^* physics with N_{Jet}



• Separate ggF v. VBF by N_{Jet}

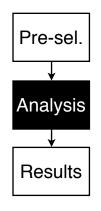


- Benefit by VBF rate ∝ | g_V |⁴
- Measuring ±50% rate translates to ±11% g_V



Two leptons, *MET*, jets (no *b* veto)

Great S/B

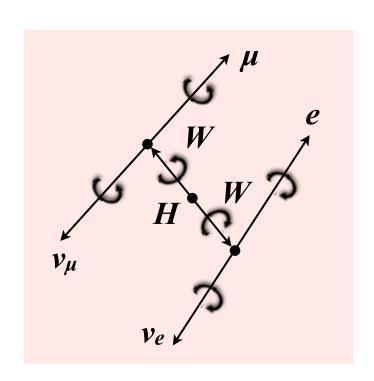


Physics with $\ell\ell$

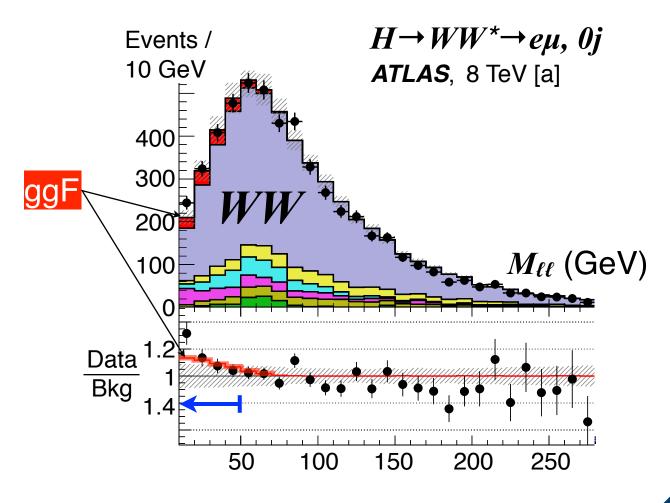


- Higgs (*J=0*)
- W decay violates parity
- Spin conservation

 \rightarrow Collinear $\ell\ell \rightarrow$ Low $M_{\ell\ell}$



Excess as expected



Pre-sel. Analysis Results

Physics with $\ell\ell$, MET

 $H \rightarrow WW^* \rightarrow e\mu$, ee, $\mu\mu$, $\leq 1j$ **ATLAS**, 7, 8 TeV [a]

- Considered $\ell\ell$, now add MET
- Approximate mass with $M_{T,H}$
- Broad at ~ 30 GeV

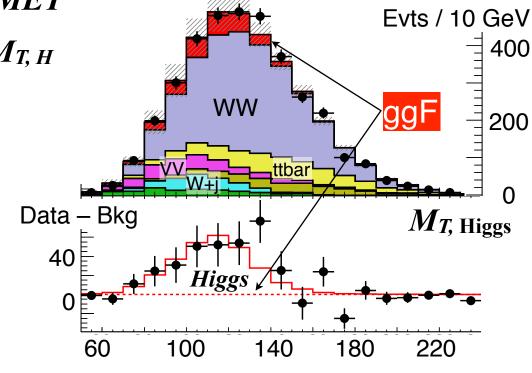
$$M_{T,H} = \sqrt{(E_{T,H})^2 - (\vec{P}_{T,H})^2}$$

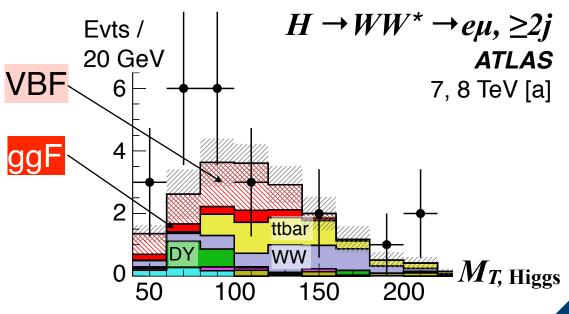
$$\vec{P}_{T,H} = \vec{P}_{T,\ell\ell} + \vec{M}\vec{E}\vec{T}$$

$$E_{T,H} = E_{T,\ell\ell} + MET$$

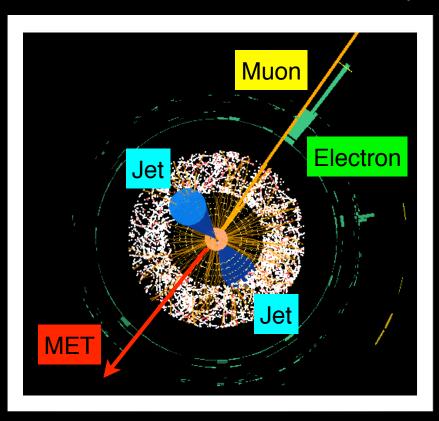
$$\sqrt{(\vec{P}_{T,\ell\ell})^2 + (M_{\ell\ell})^2}$$

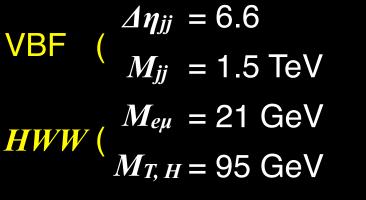
Shape, normalization consistent with Higgs at 125





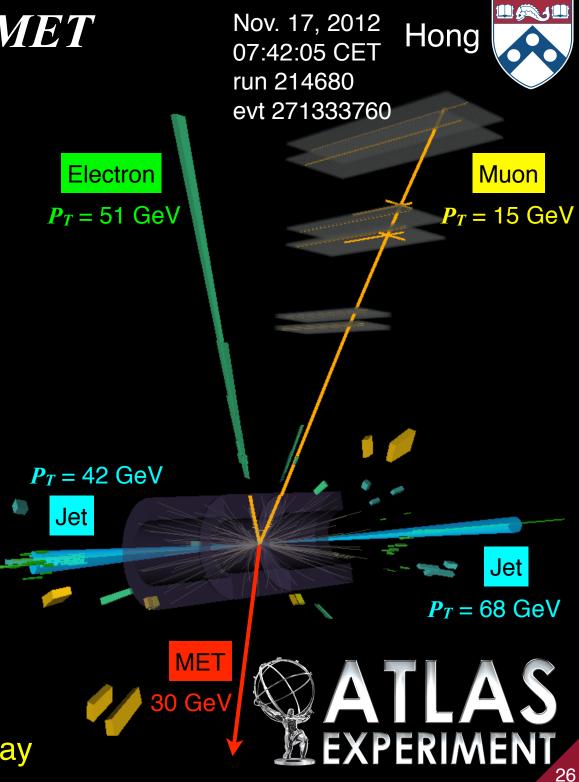
$VBF H \rightarrow WW^* \rightarrow e\mu MET$





ttbar Jets not *b*-tagged

VBF-like in jj & Higgs-like in decay



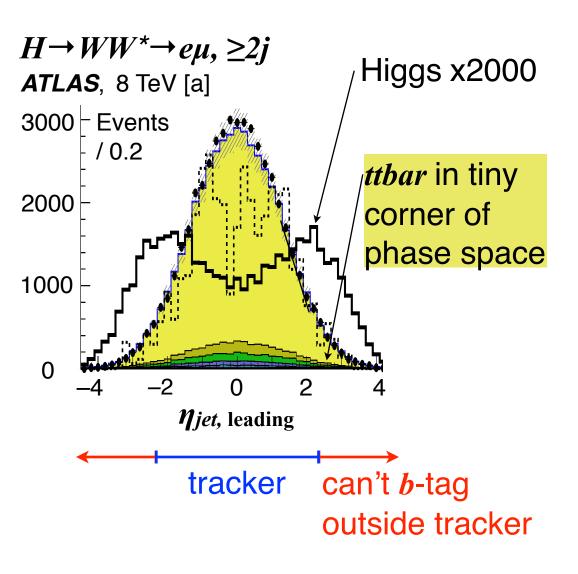
Pre-sel. Analysis Results

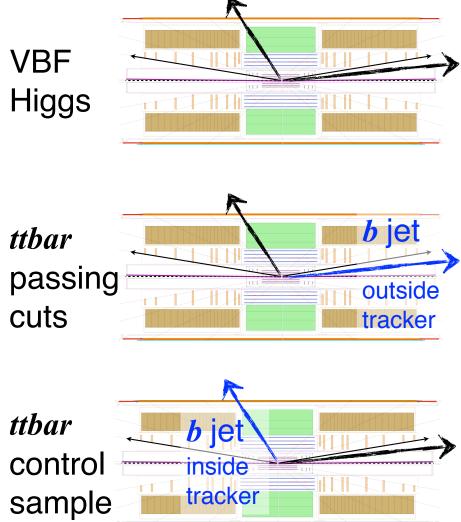
ttbar→WbWb background



• VBF jets have large η , where no tracking

• In *ttbar* events, high M_{jj} selects one b, one non-b





Pre-sel. Analysis Results

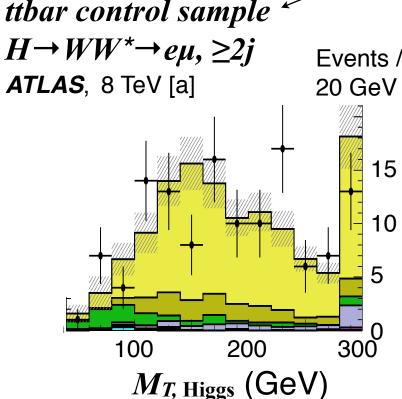
ttbar modeling difficulty



Slide for experts

ttbar good $\ell\ell$ & MET modeling, but

ttbar control sample



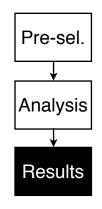
VBF jet modeling is difficult in tiny corner of phase space

• Estimate $N_{ttbar} = N_{\text{MC}} \cdot f_{\text{control}}$

where
$$f_{\text{control}} = \left(\frac{N_{\text{Data}}}{N_{\text{MC}}}\right)_{\text{control}} = 0.6 \pm 0.15$$

 Repeat with other MCs, find estimates consistent to 15%

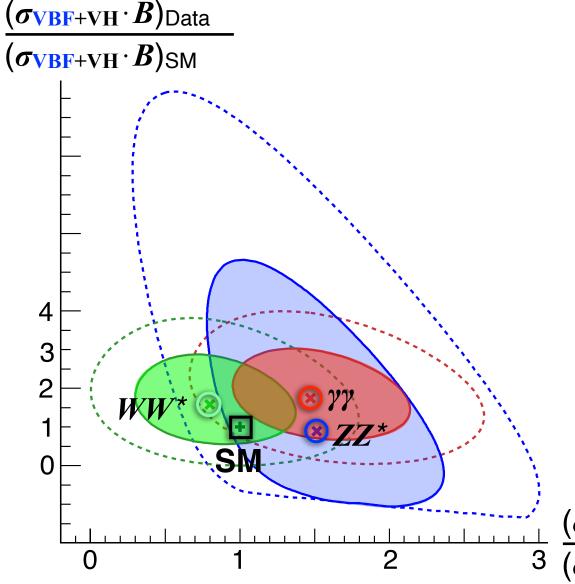
ttbar estimate is stable



VBF v. ggF with bosons



• VBF WW* significance is 2.5σ, 1.6σ observed expected



ATLAS [b]

7, 8 TeV data For 125.5 GeV

- Standard Model
- ⊗ Best fit individual
- 68% CL
- -- 95% CL

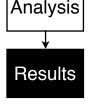
 $\frac{(\boldsymbol{\sigma}_{\mathsf{ggF+ttH}} \cdot \boldsymbol{B})_{\mathsf{Data}}}{(\boldsymbol{\sigma}_{\mathsf{ggF+ttH}} \cdot \boldsymbol{B})_{\mathsf{SM}}}$

Pre-sel. Analysis Results

Rescale the axes

so same metric in x, y





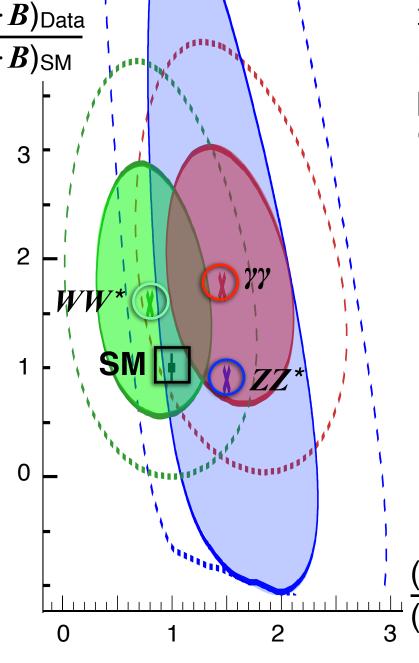
 $(\sigma_{\text{VBF+VH}} \cdot B)_{\text{Data}}$ $(\sigma_{\text{VBF+VH}} \cdot B)_{\text{SM}}$

VBF WW* measurements

$$\frac{\mu_{VBF}}{\mu_{ggF}} = 2.0 \pm \frac{2.2}{1.0}$$

•
$$\mu_{VBF} = 1.6 \pm 0.8$$
40% stat.
25% syst.

For all modes, ggF rates better than VBF by ~2x



ATLAS [b] 7, 8 TeV data For 125.5 GeV

- Standard Model
- ⊗ Best fit individual
- 68% CL
- -- 95% CL

Axes rescaled from the original

 $(\sigma_{\text{ggF+ttH}} \cdot B)$ Data $(\sigma_{
m ggF+ttH}\cdot B)$ SM

Evidence of VBF

in boson final states

Combine WW*, ZZ*, γγ

• VBF evidence at 3.3σ

•
$$\frac{\mu_{\text{VBF+VH}}}{\mu_{\text{ggF+ttH}}} = 1.4 \pm {}^{0.4}_{0.3} \pm {}^{0.6}_{0.4}$$
 (stat) (syst)

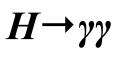
$$=1.4 \pm {0.7 \atop 0.5}$$

Measured ggF, VBF with bosons

What about fermions?

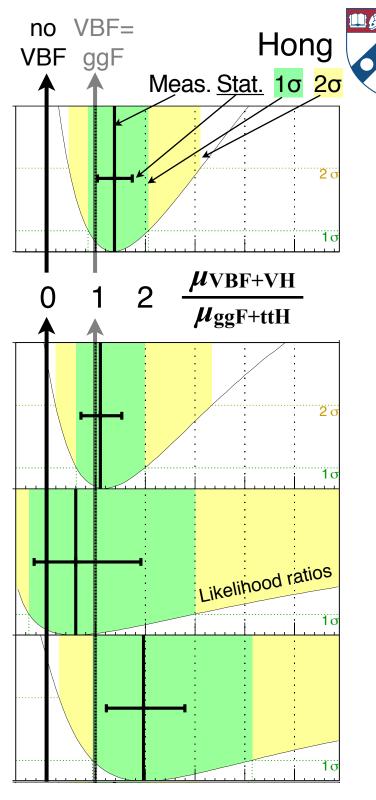
ATLAS [b] For 125.5 GeV 7, 8 TeV data

Combined



$$H \rightarrow ZZ^*$$

$$H \rightarrow WW^*$$



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Focus on similar final states

• VBF $H \to WW^* \to e \mu$ $v_e v_\mu$ $\to VBF H \to \tau\tau \to \ell h$ $v_\ell v_\tau v_\tau$

Putting it together

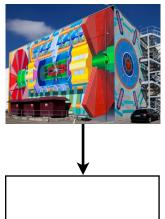
h = hadron $\tau \to \pi v_{\tau} (+\pi^{0})$ 45%light lep. $\ell = e, \mu$ 35%

Missing E_T (MET)

VBF $\tau\tau \rightarrow \ell h$

Hong

Analysis flowchart



Trigger on ℓ

Pre-sel.

• Require non-*b jets* with $\Delta \eta_{ij} > 3$

• Require ℓ , $\tau \rightarrow h$, MET

Already discussed

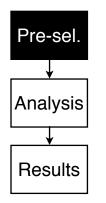
Analysis

- Define variables for VBF production
- Define variables for $H \rightarrow \tau \tau$ decay
- Train BDT to select H using all vars
- Background model validation

Results

• Fit *BDT score* to get μ_{Higgs}

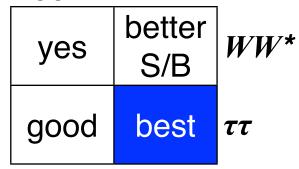
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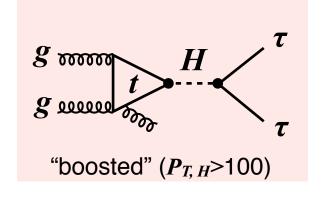
au au physics with N_{Jet}



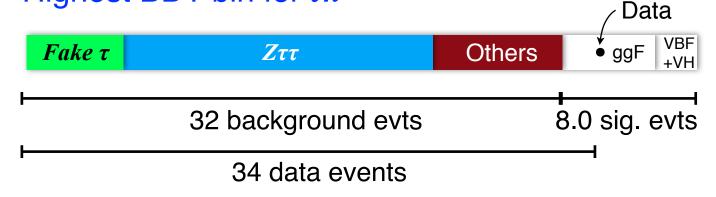
Like WW*: have ggF, VBF

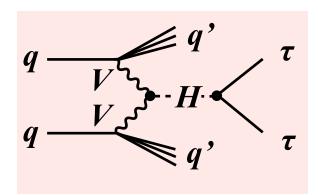


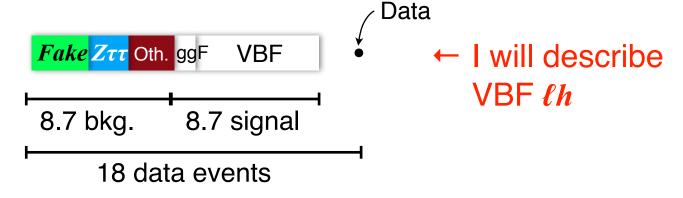


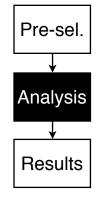








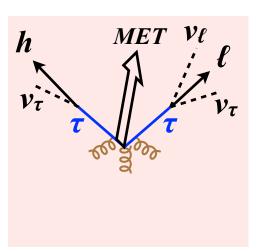


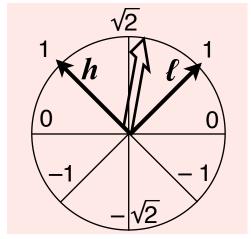


Suppress fake $\tau\tau$ with φ_{MET}



- Neutrinos from τ decays are mostly collinear
- Define "centrality" of φ_{MET} w.r.t. charged daughters

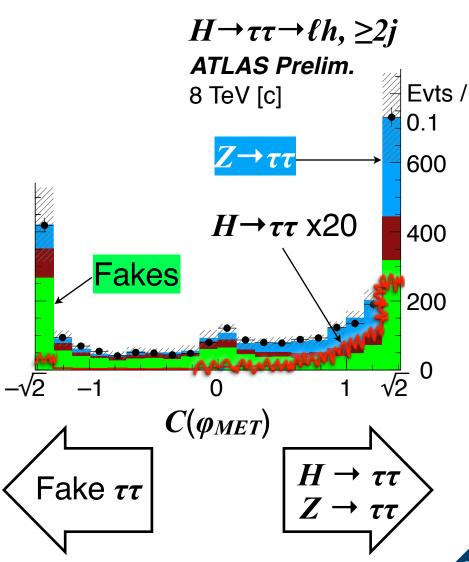


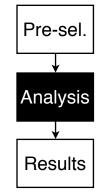


v along ℓ , so \overline{MET} in between

Construct a metric w.r.t. ℓ , h

Good separation from fake $\tau\tau$

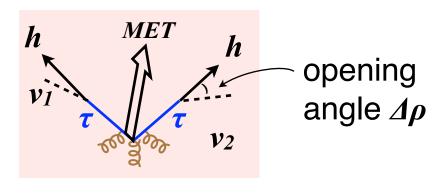




Suppress $Z \rightarrow \tau \tau$ with $M(\tau \tau)$

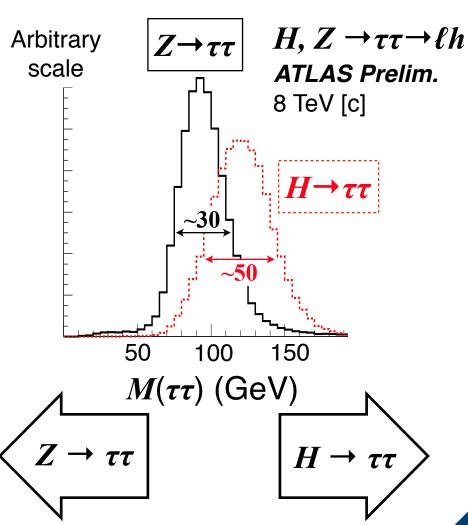


- $M(\tau\tau) = M(\ell h v_e v_\tau v_\tau)$, so need \vec{P}_{v1} , \vec{P}_{v2} , \vec{P}_{v3}
- $MET_{x, y} = (\Sigma_i \vec{P}_{v, i})_{x, y}$ resolution smears constraint
- Parametrize unknowns by opening angles $\Delta \rho$



- A. Elagin et al., NIM A654 (2011) 481
- 1. Generate $\Delta \rho$ distributions with MC
- 2. Scan allowed configurations, pick most likely $M(\tau\tau)$ for each event

Good separation from $Z \rightarrow \tau \tau$

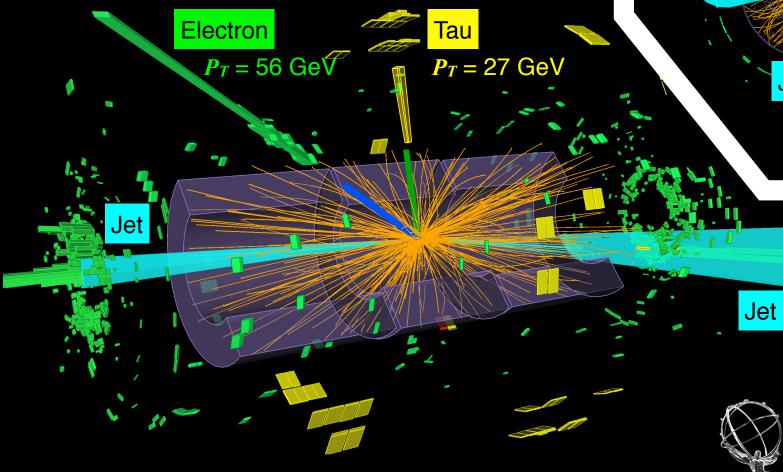


$VBF H \rightarrow \tau\tau \rightarrow eh MET$

 $VBF - M_{ii} = 1.5 \text{ TeV}$

 $H\tau\tau$ - $M_{\tau\tau}$ = 129 GeV

BDT score = 0.99, S/B here is 1.0



Nov. 5, 2012 09:48:46 UTC run 214021 evt 269834309

Hong

Jet

Jet

Electron

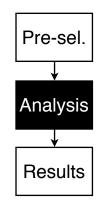
MET

113

Tau



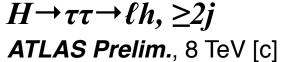
VBF-like in jj & Higgs-like in decay

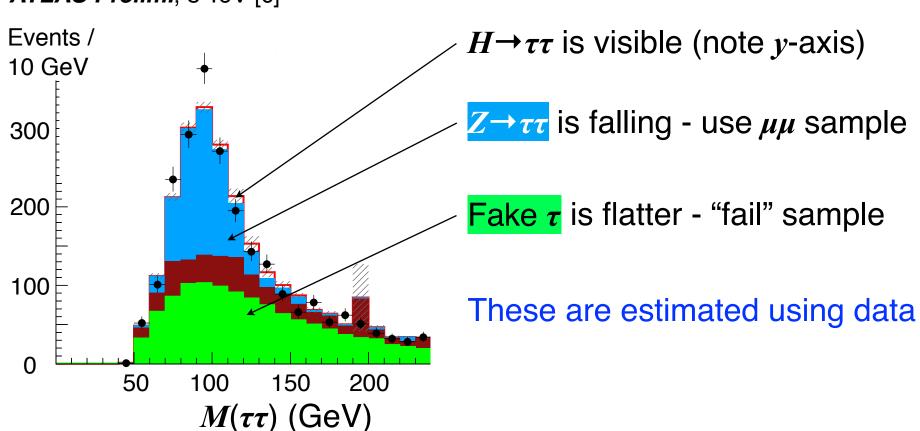


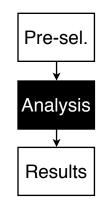
Train BDT to select Higgs



- Feed BDT the variables for VBF production, H decay
- I described the key ones already
- Let's look at $M(\tau\tau)$ before applying BDT





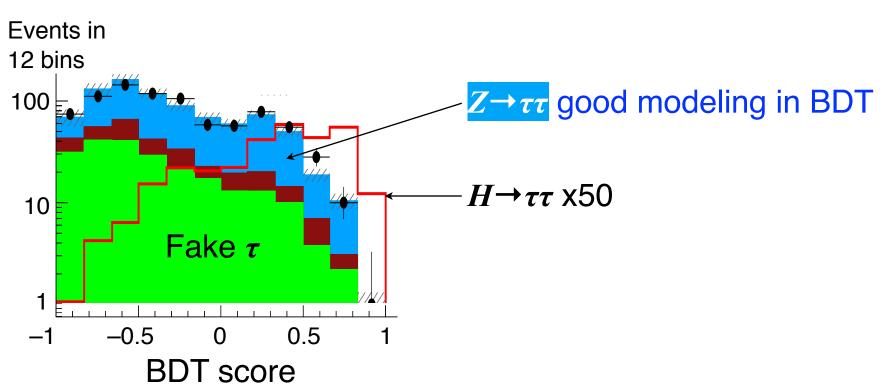


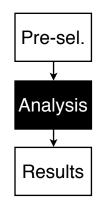
Method, validation of $Z \rightarrow \tau \tau$



- Fact: $pp \rightarrow Z$ same for $Z \rightarrow \tau \tau$, $Z \rightarrow \mu \mu$
- Select $Z \rightarrow \mu\mu$ with $M_{\mu\mu} > 40$, loosely isolated μ
- Use MC to decay τ in μ 's place

 $Z \rightarrow \tau \tau \ control \ region \leftarrow$ Control region definition $H \rightarrow \tau \tau \rightarrow \ell h, \geq 2j$ $M_{T, W} < 40 \text{ to veto } W \rightarrow \ell v$ ATLAS Prelim., 8 TeV [c] $M(\tau \tau) < 110 \text{ to veto } H \rightarrow \tau \tau$

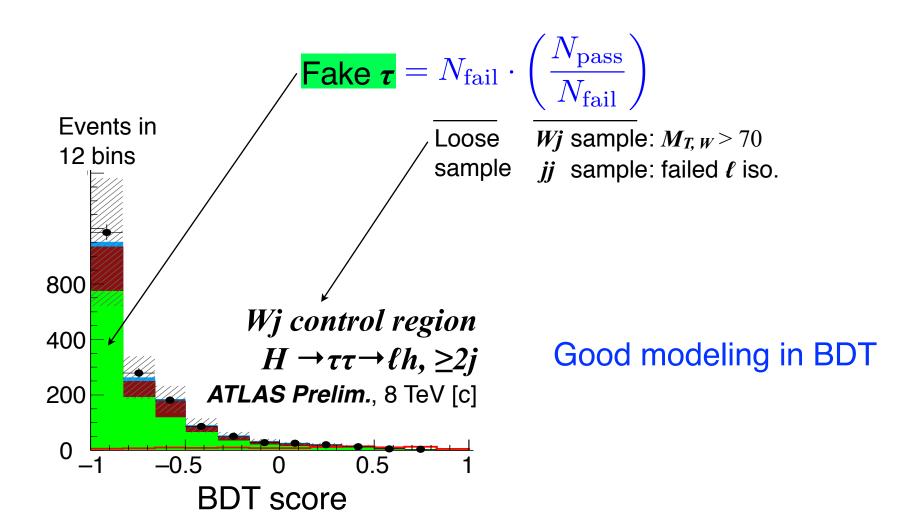




Method, validation of jet faking τ



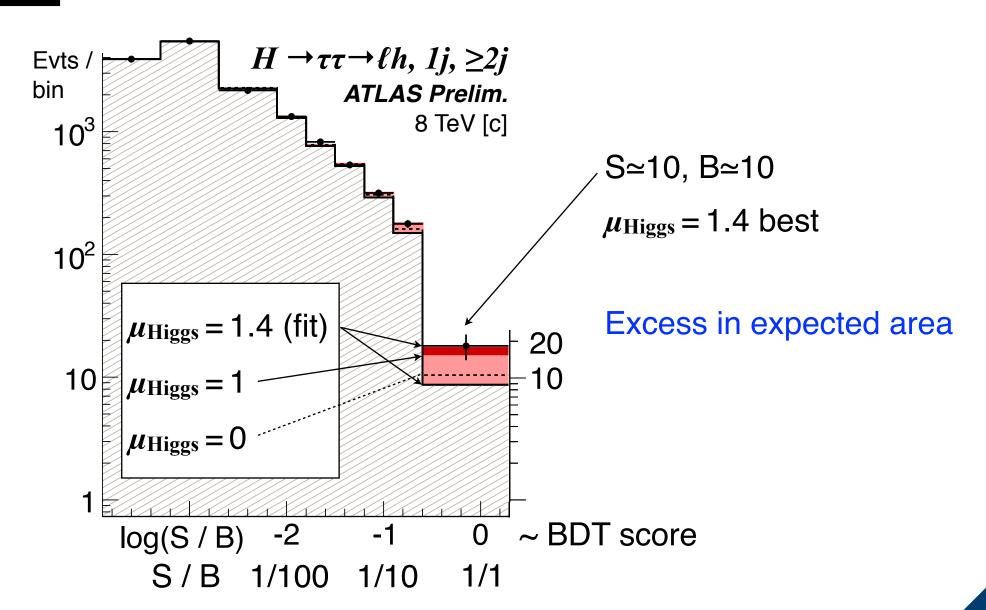
- $Wjet \rightarrow \ell h_{\text{fake}}$ fakes $H \rightarrow \tau \tau \rightarrow \ell h$
- N_{fail} are signal-like events with h failing strict id.
- Get fail-to-pass ratio using a pure jet sample



BDT applied to data



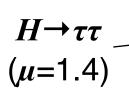
• Look at classification for ℓh in for $1j, \geq 2j$



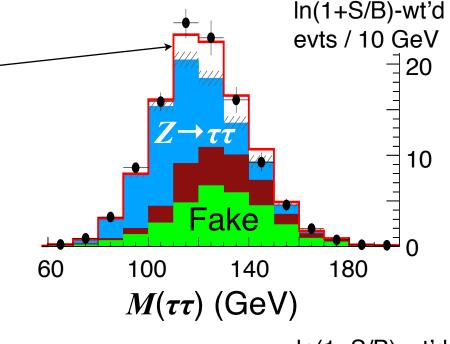
Combined result v. 125

• S/B weighted $M(\tau\tau)$ for $1j, \geq 2j$

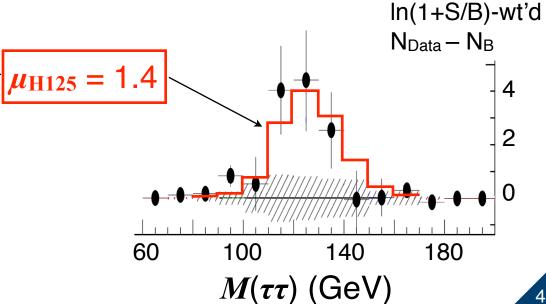
 $H \rightarrow \tau \tau \rightarrow \ell h, \geq 2j$ ATLAS Prelim., 8 TeV [c]



• Significance (with $\ell\ell$, hh) is 4.1σ , 3.2σ observed expected



 Excess at expected for Higgs at 125



Combined result v. 125

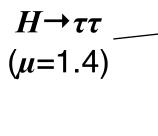
• S/B weighted $M(\tau\tau)$ for $1j, \geq 2j$

 $H \rightarrow \tau \tau \rightarrow \ell h$, $\geq 2j$ ATLAS Prelim., 8 TeV [c]

In(1+S/B)-wt'd

evts / 10 GeV

20



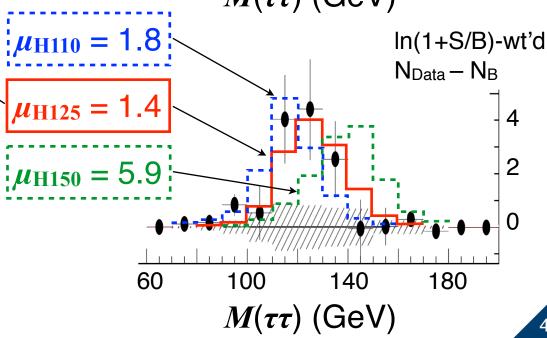
• Significance (with *ℓℓ*, *hh*) is 4.1σ, 3.2σ observed expected

Fake

60 100 140 180 $M(\tau\tau)$ (GeV)

In(1+S/B)-wt'c

 Excess at expected for Higgs at 125



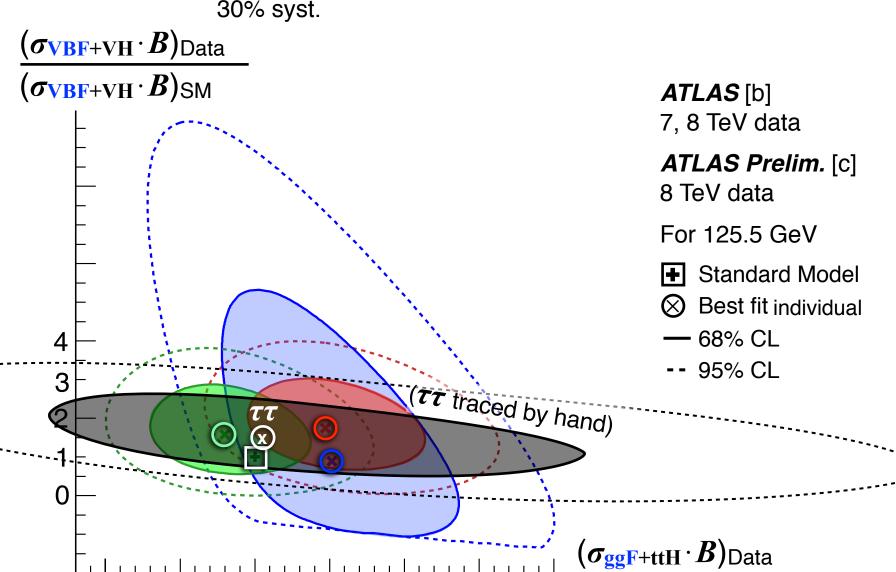
VBF v. ggF with $H \rightarrow \tau \tau$



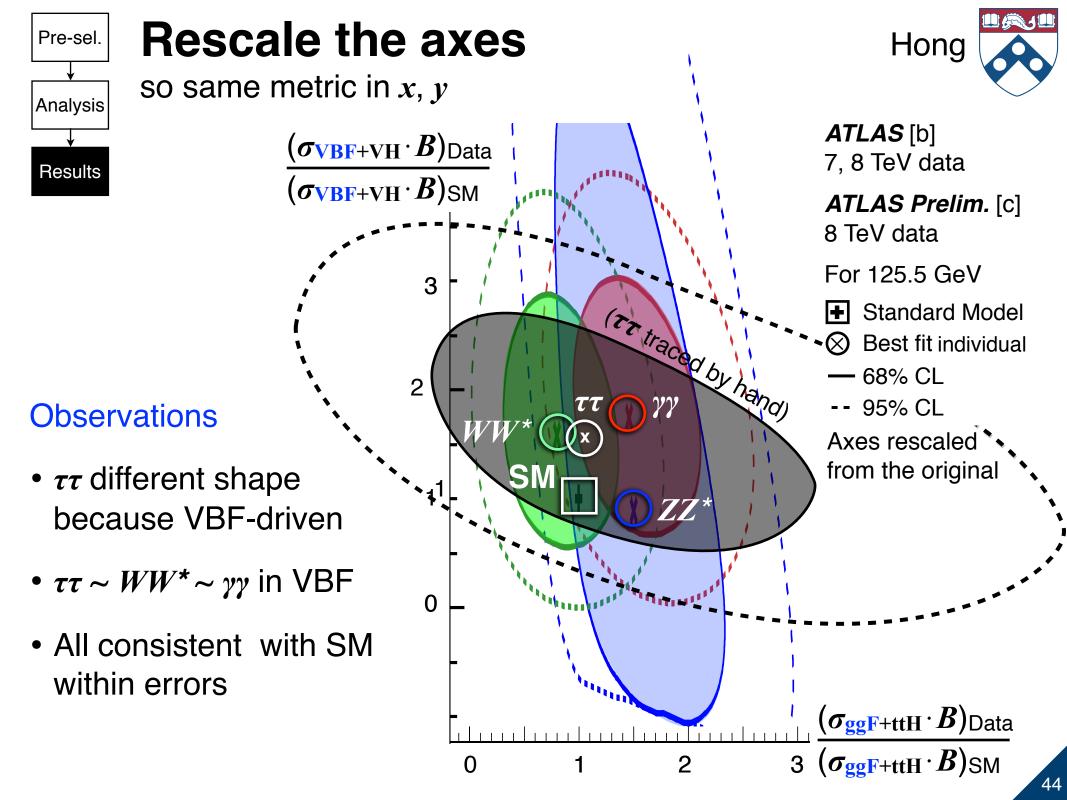
• $\mu_{\text{Higgs}} = 1.6 \pm 0.6 \text{ in } \ge 2 \text{ jets} \text{ (mostly VBF)}$

30% stat.

30% syst.



 $(\sigma_{\text{ggF}+\text{ttH}} \cdot B)$ SM



Outline



Introduction

- Higgs via VBF
- ATLAS at LHC

Focus on similar final states

Missing E_T (MET)

• VBF
$$H \rightarrow WW^* \rightarrow e \mu$$
 $v_e v_\mu$
• VBF $H \rightarrow \tau \tau \rightarrow \ell h$ $v_\ell v_\tau v_\tau$

→ Putting it together

→ 2 lepton-like objects

Putting it together into g



Are Higgs couplings modified?

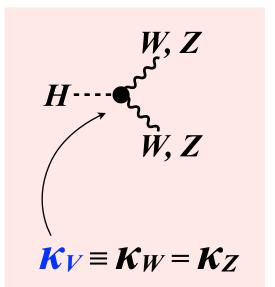
Consider ratio w.r.t. SM

$$\kappa_X = \frac{g_{X, \text{ Data}}}{g_{X, \text{ SM}}} = 1 \text{ for SM value}$$

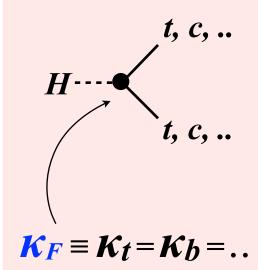
for any particle "X"

If we had large statistics, determine κ for each vertex

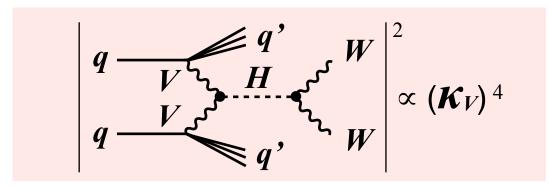
- But we don't (yet)
- Usually "lump" some together to taste, e.g., $\kappa_V \equiv \kappa_W = \kappa_Z$



Vector bosons



Fermions



Example

Higgs in EW same as in fermion?



Benchmark scenario:

- Vector boson couplings deviate from SM by common factor κ_{Vector}
- Fermions deviate from SM by common factor $\kappa_{Fermion}$

Results

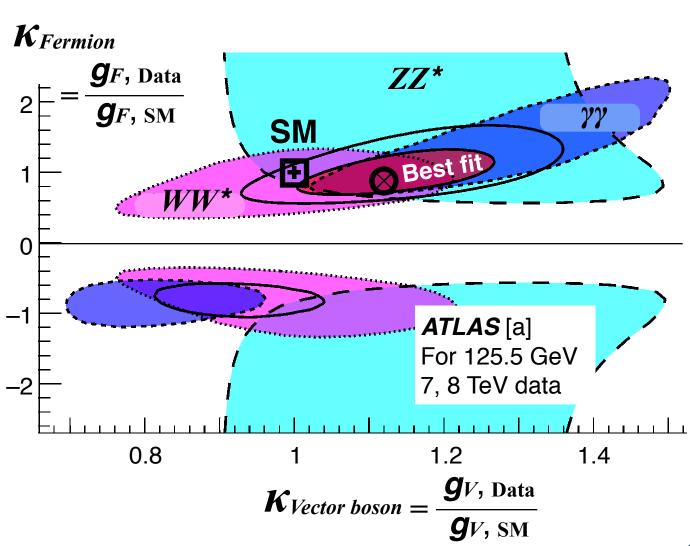
 Consistent with SM, but large errors

Features

All rates ∝ κ²,
 except for γγ

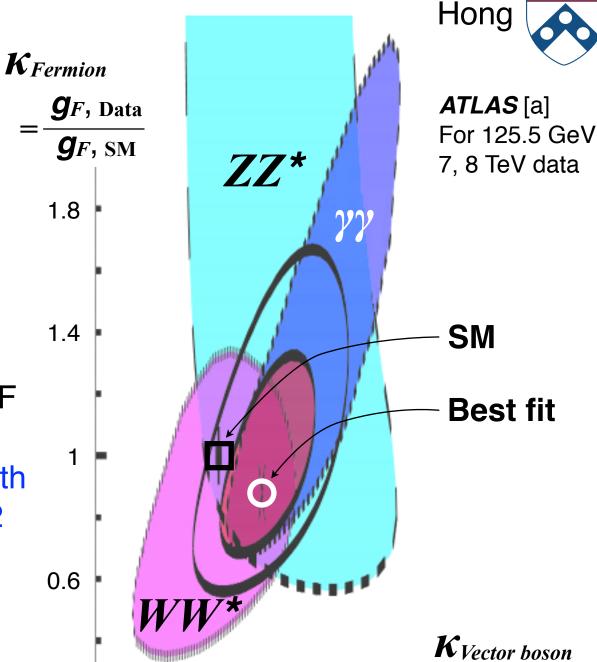
$$+ H - \underbrace{t \qquad \gamma}_{\gamma}$$

$$- H - \underbrace{t \qquad \gamma}_{\gamma}$$



Rescale the axes

and omit negative solution



1.4

Observations

- All far from (0, 0)
- See K_V 2x better than K_F , ggF rate 2x better than VBF

VBF is statistics limited, so both axes will get better with Run-2

0.4

0.6

 \boldsymbol{g}_V , Data

 g_V , sm



Higgs width or something else? Take WW* as example.

Rate depends on width: WW^* rate = $(\sigma \cdot B)_{WW} \equiv \sigma \cdot \frac{\Gamma_{WW}}{\Gamma_{\text{total width}}}$



Higgs width or something else? Take WW* as example.

Rate depends on width: WW^* rate = $(\sigma \cdot B)_{WW} \equiv \sigma \cdot \frac{\Gamma_{WW}}{\Gamma_{\text{total width}}}$

Measure VBF rate:
$$\mu_{W,\text{VBF}} \equiv \frac{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{WW,\text{VBF},\text{Data}}}{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{WW,\text{VBF},\text{SM}}} = \frac{(\kappa_V)^2 (\kappa_W)^2}{(\kappa_{\text{total}})^2}$$

Measure ggF rate:
$$\mu_{W,ggF} \equiv \frac{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{WW, ggF, Data}}{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{WW, ggF, SM}} = \frac{(\kappa_g)^2 (\kappa_W)^2}{(\kappa_{total})^2}$$



Higgs width or something else? Take WW* as example.

Rate depends on width:
$$WW^*$$
 rate = $(\sigma \cdot B)_{WW} \equiv \sigma \cdot \frac{\Gamma_{WW}}{\Gamma_{\text{total width}}}$

$$\mu_{W,\text{VBF}} \equiv \frac{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{WW,\text{VBF},\text{Data}}}{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{WW,\text{VBF},\text{SM}}} = \frac{(\kappa_V)^2 (\kappa_W)^2}{(\kappa_{\text{total}})^2}$$

$$\mu_{W,\text{ggF}} \equiv \frac{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{WW,\text{ ggF, Data}} = (\kappa_g)^2 (\kappa_W)^2}{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{WW,\text{ ggF, SM}} = (\kappa_g)^2 (\kappa_W)^2}$$

Take ratio of rates:
$$R_W = \frac{\mu_{W, \text{VBF}}}{\mu_{W, \text{ggF}}} = \frac{(\kappa_V)^2}{(\kappa_g)^2} \sim \frac{V}{g} \sim H$$
 • No κ_{total} • No WW^*



Higgs width or something else? Take WW* as example.

Rate depends on width: WW^* rate = $(\sigma \cdot B)_{WW} \equiv \sigma \cdot \frac{\Gamma_{WW}}{\Gamma_{\text{total width}}}$

Measure VBF rate:

$$\mu_{W,\text{VBF}} \equiv \frac{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{WW,\text{VBF},\text{Data}}}{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{WW,\text{VBF},\text{SM}}} = \frac{(\kappa_V)^2 (\kappa_W)^2}{(\kappa_{\text{total}})^2}$$

Measure ggF rate:

$$\mu_{W,\text{ggF}} \equiv \frac{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{WW,\text{ ggF, Data}} = (\kappa_g)^2 (\kappa_W)^2}{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{WW,\text{ ggF, SM}} = (\kappa_{\text{total}})^2}$$

Take ratio of rates:

$$R_{W} = \frac{\mu_{W, \text{VBF}}}{\mu_{W, \text{ggF}}} = \frac{(\kappa_{V})^{2}}{(\kappa_{g})^{2}} \sim \frac{V}{g} \sim H$$
• No κ_{total}
• No w_{W}

 $R \neq 1$ means κ_V or κ_g not SM.

Conclusions



Gave details on VBF $H \rightarrow WW^*$, VBF $H \rightarrow \tau\tau$

- Evidence of VBF Higgs
- Evidence of Higgs-lepton coupling

LHC as a vector boson collider

- VBF is statistically limited, so Run-2 data crucial
- VBF is important tool to study Higgs sector

Great potential for sensitivity to new physics!

Thanks



This talk has been heavily influenced from inputs from many. In particular, I'd like to acknowledge

J. Alison Chicago

K. Black Boston

B. Cerio Duke

M. Morii Harvard

P. Chang Illinois

I. J. Kroll Penn

E. Lipeles Penn

R. Ospanov Penn

A. Pranko LBL

D. Schaefer Penn

• S. Sekula Southern Methodist

A. Tuna
 Penn

R. Vanguri Penn

and many of my Penn & ATLAS co-workers who are not listed above.

Back-up material

ATLAS collaboration in *Nature*

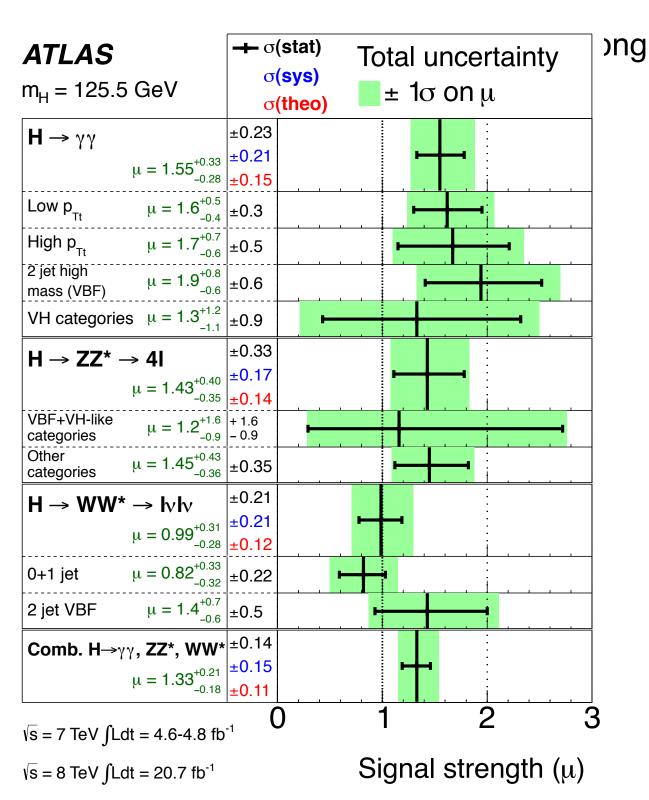
Hong

"Like a giant commune, [they] work, eat, and party together."

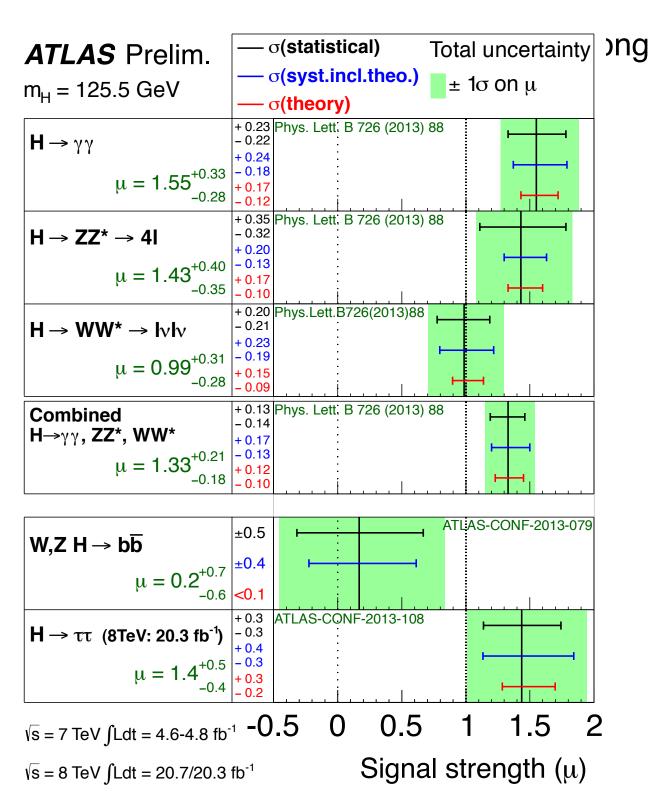
while discovering new physics!



Same as p6

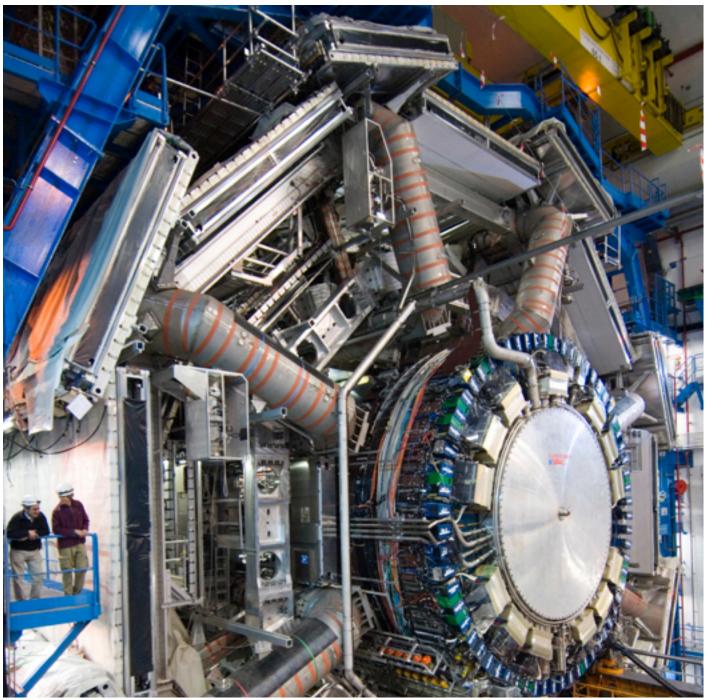


Similar to p6

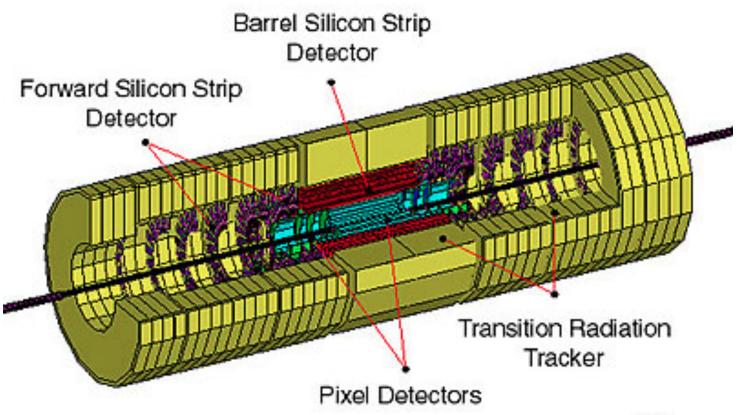


ATLAS detector







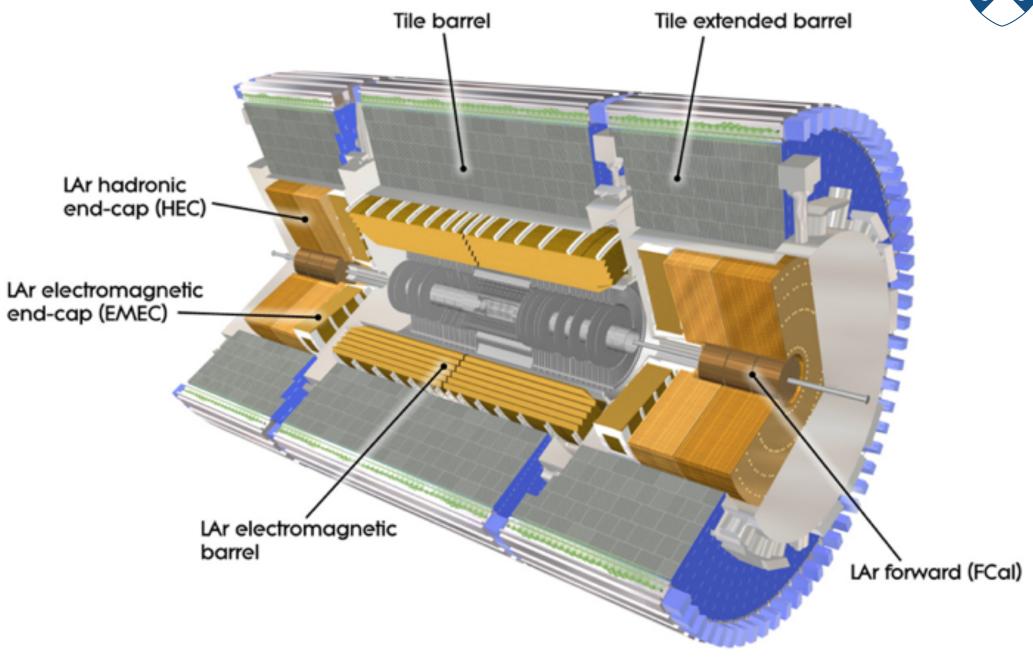


Inner Tracker



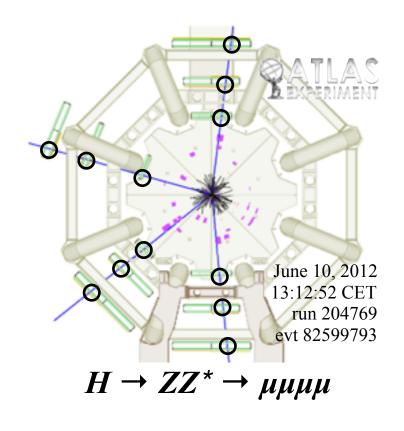
Inside the toroid





Muons, electrons

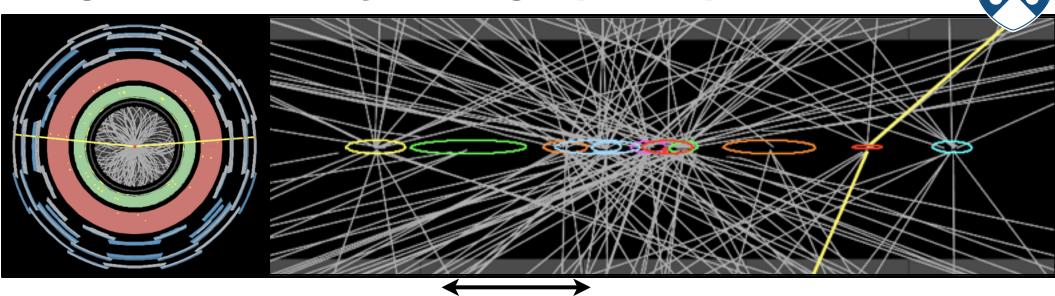






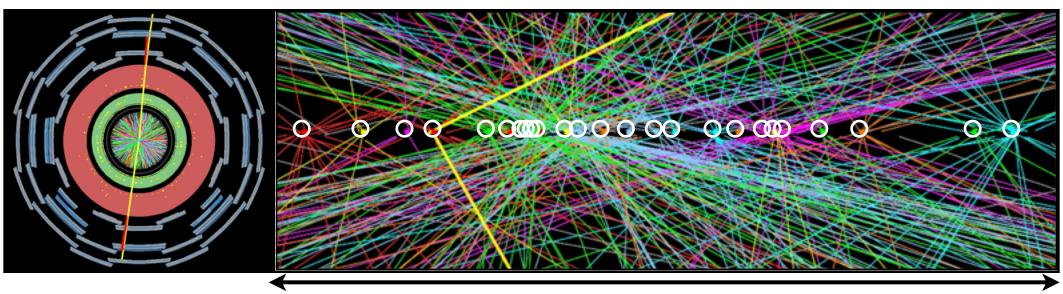
$$H \rightarrow \gamma \gamma \rightarrow \gamma ee$$

High luminosity → high pile-up ⟨µ⟩



2011, 11 vertices

Between vertices $\langle \Delta z \rangle \approx 2$ - 3 mm, $\sigma_{\Delta z} \approx 0.2$ mm



2012, 25 vertices

Interaction region width in $z \approx 5$ - 6 cm

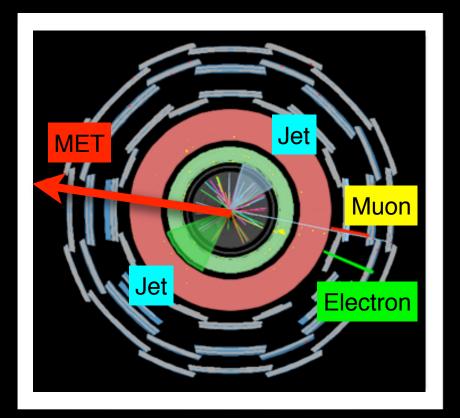
Hong

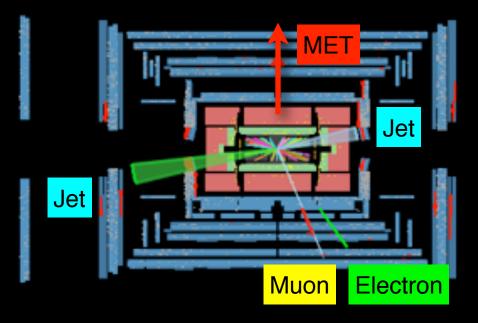
VBF, $Hjj \rightarrow WW^*jj \rightarrow e\mu jj MET$

Jun. 17, 2012 07:18:33 CEST Hong



run 205071 evt 160243894





VBF $M_{jj} = 4.7$ $M_{jj} = 531$ $M_{e\mu} = 21 \text{ GeV}$ $M_{\ell\ell} = 0.23$ $M_{T} = 134$

Event characteristics

- Jets are forward with $\eta \sim \pm 2.4$
- Large $ttbar \rightarrow WbWb \rightarrow e\mu \ bb \ MET$
- Veto with b-tag operating pt. 85%

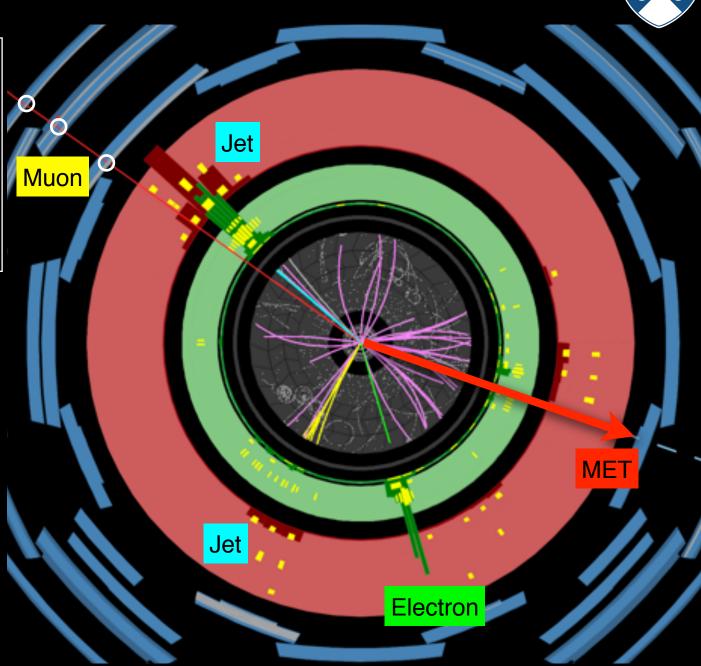
Another event that is VBF-like in jj & Higgs-like in decay

$ttbar \rightarrow WbWb \rightarrow e\mu \ bb \ MET$

Hong

Right: Two *b*-tag jets, muon, electron, *MET*

Below: Zoom-in to see two displaced vertices for *b*-hadron decays

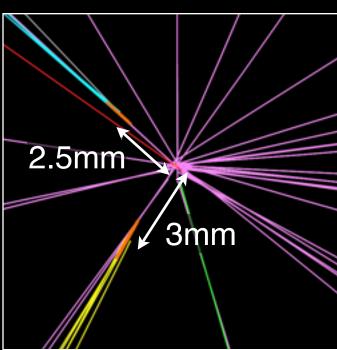


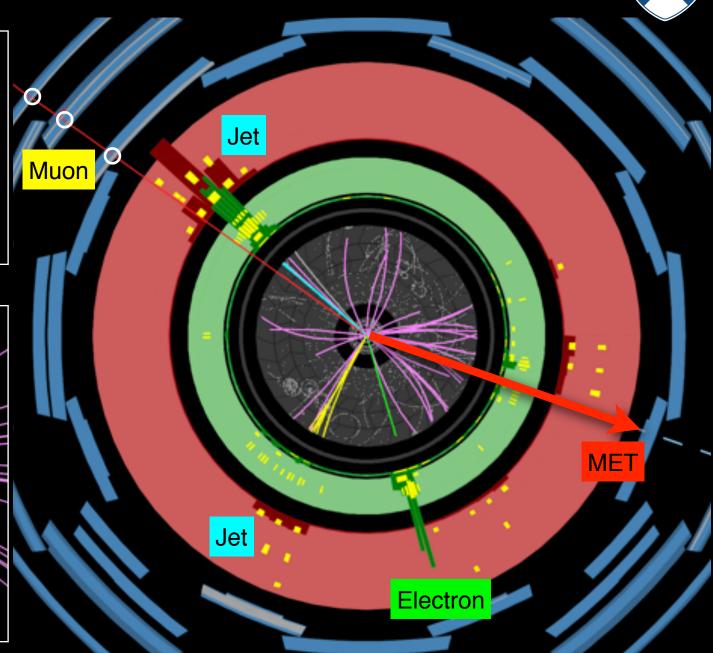
ttbar → WbWb → eµ bb MET



Right: Two *b*-tag jets, muon, electron, *MET*

Below: Zoom-in to see two displaced vertices for *b*-hadron decays





Comparison of

- ① Jet
- 2 Tau (3-prong)
- 3 Electron

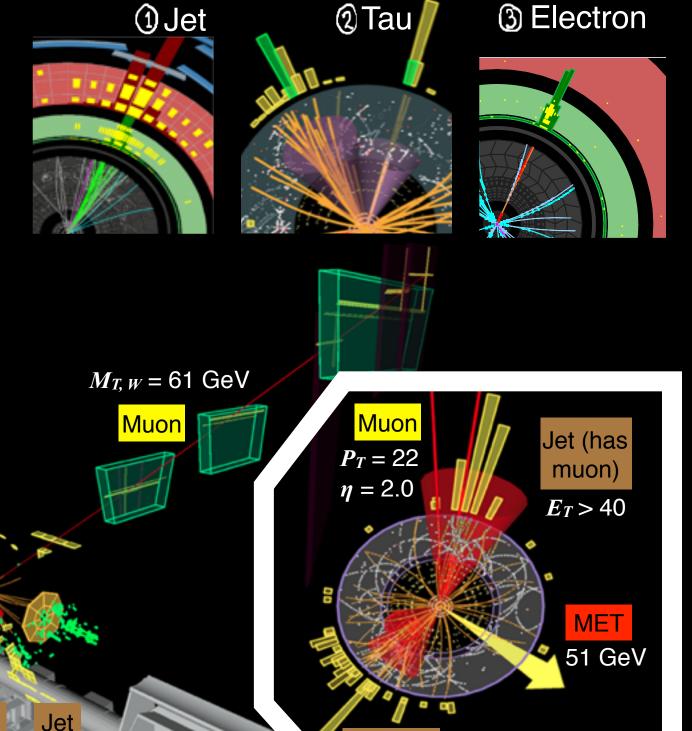
Wjjj event

May 16, 2010

05:47:06 EST

evt 98844660

run 155112



Two Jets

EXPERIMENT

Jet (has

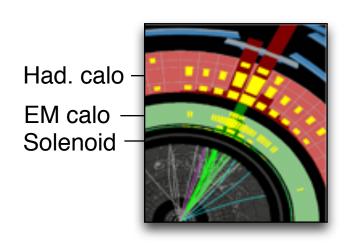
muon)

63

Jets

Calo clusters with anti- k_T , R = 0.4



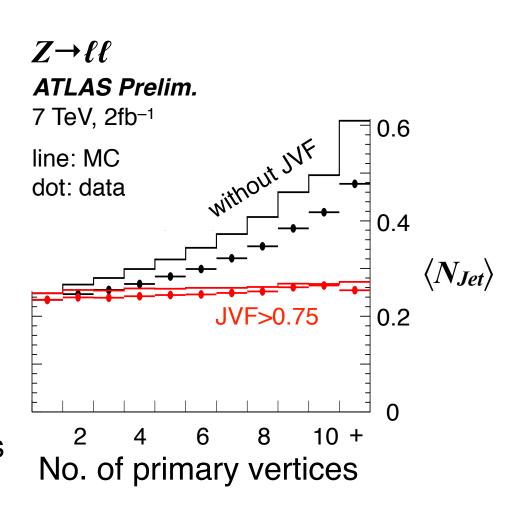


Need two jets for VBF

• <u>Jet Vtx</u>. <u>Fraction kills pile-up jets</u>

Calibrate energy against γ , $Z \rightarrow \ell \ell$

• ~5% error on <u>Jet Energy Scale</u>

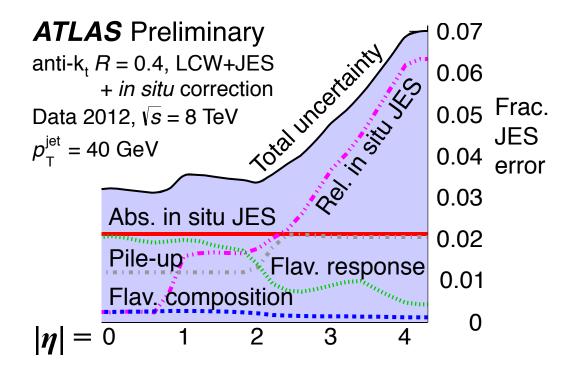


Jet energy scale



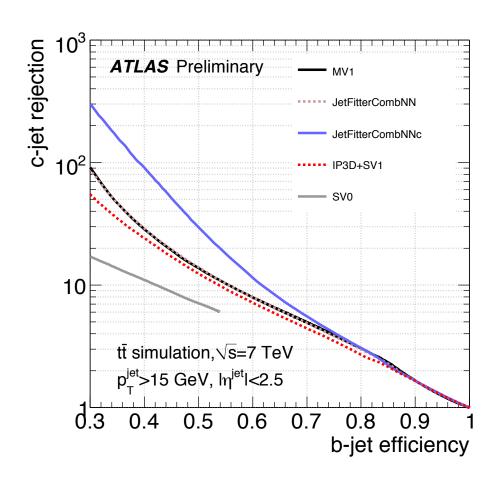
Define jet from clusters:

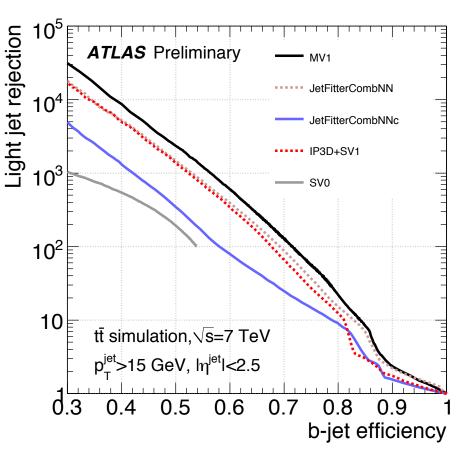
- P_T > 25 in tracking vol.
 Jet-vertex association to suppress pile-up (p103-104)
 f_{JVF} > 0.5 for P_T < 50 GeV</p>
- $P_T > 30$ if forward 2.4 < $|\eta| < 4.5$



b-tagging R.O.C. curves

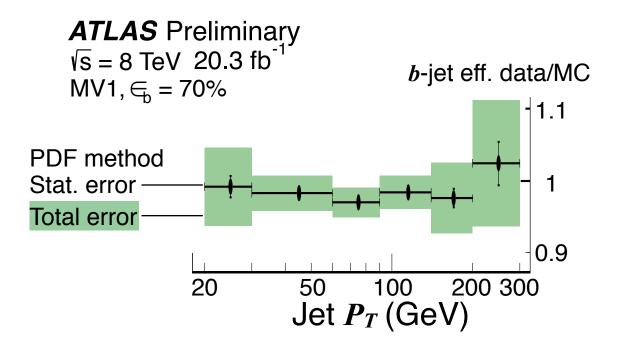






b-tagging scale factor



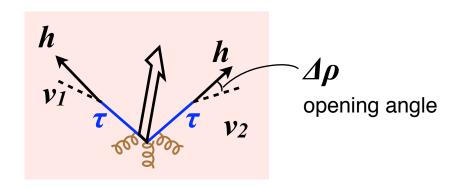


$H \rightarrow \tau \tau$ v. $Z \rightarrow \tau \tau$ separation with $M(\tau \tau)$



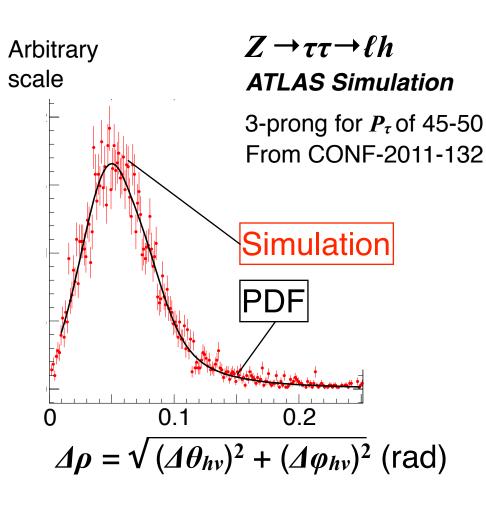
Statement of the problem

• *MET* measured, not neutrinos



To illustrate, consider $\tau\tau \rightarrow hhv_1v_2$

- 6 components for v_1 , v_2
- 4 eqns. $M(v_1 h) = 1.78 \text{ GeV}$ $M(v_2 h) = 1.78 \text{ GeV}$ $(P_{v1} + P_{v2})_x = MET_x$ $(P_{v2} + P_{v2})_v = MET_v$

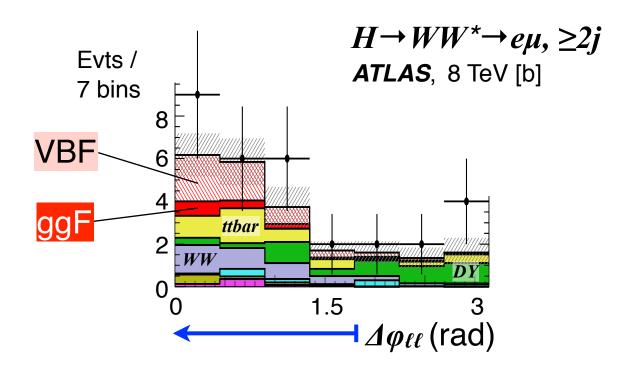


• 2 left. Can parametrize by set($\Delta \rho_1, \Delta \rho_2$)

Hint: Generate $\Delta \rho$ distributions with MC

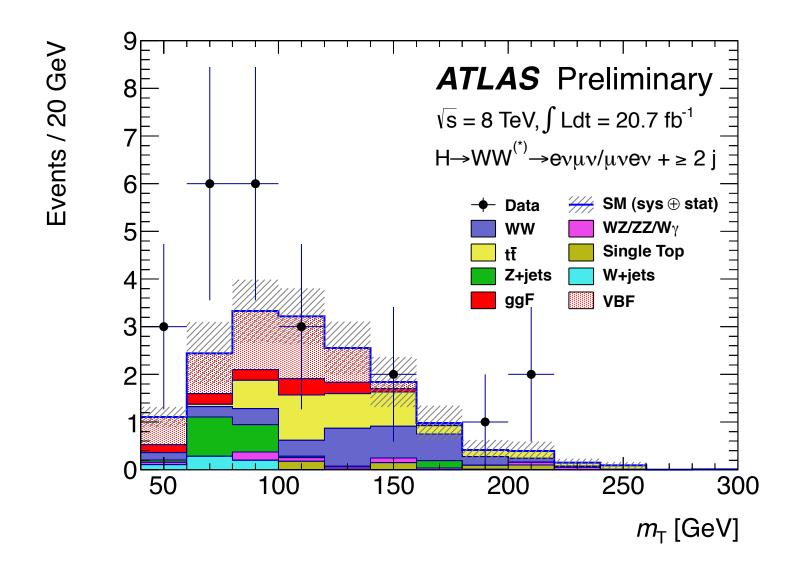
Same as p24, but for $\geq 2j$





Same as p25 with legends





Breakdown $H \rightarrow WW^*$



| μ Higgs | $= \frac{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{\text{Data}}}{(\boldsymbol{\sigma} \cdot \boldsymbol{B})_{\text{SM}}}$ | a_ stat. | experimental | theory |
|------------------|---|-------------|--------------|--------|
| Total | 0.99 | ± 0.21 | ± 0.17 | ± 0.12 |
| $N_{Jet} \leq 1$ | 0.82 | ± 0.22 | ± 0.25 | |
| $N_{Jet} \ge 2$ | 1.4 | ± 0.5 | ± 0.4 | |

SM $\mu = 1$ \downarrow 0
1
2
Signal strength (μ)

Caveat emptor: The table is using 7 & 8 TeV data at M_H = 125.5 GeV combining all the production modes.

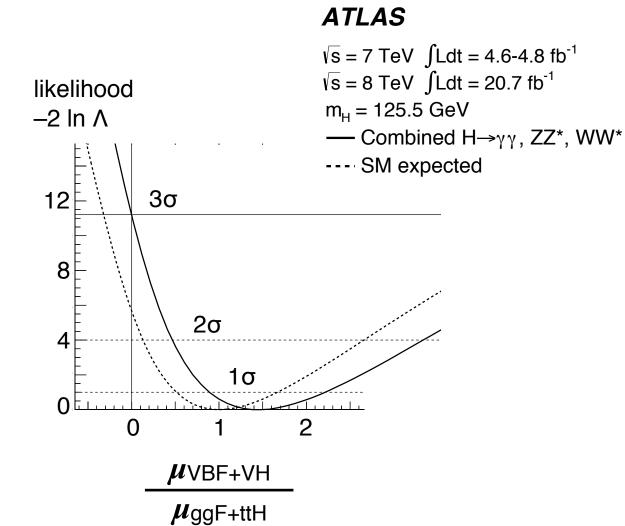
Signal significance for HWW is 3.8 σ (3.8 σ)

observed expected

Considering only VBF HWW is 2.5 σ (1.6 σ)

VBF significance w.r.t. ggF





$H \rightarrow \tau \tau$ math



$$(P_1, \theta_1, \varphi_1)$$

$$(P_2, \theta_2, \varphi_2)$$

$$(P_1, \theta_1, \varphi_1)$$

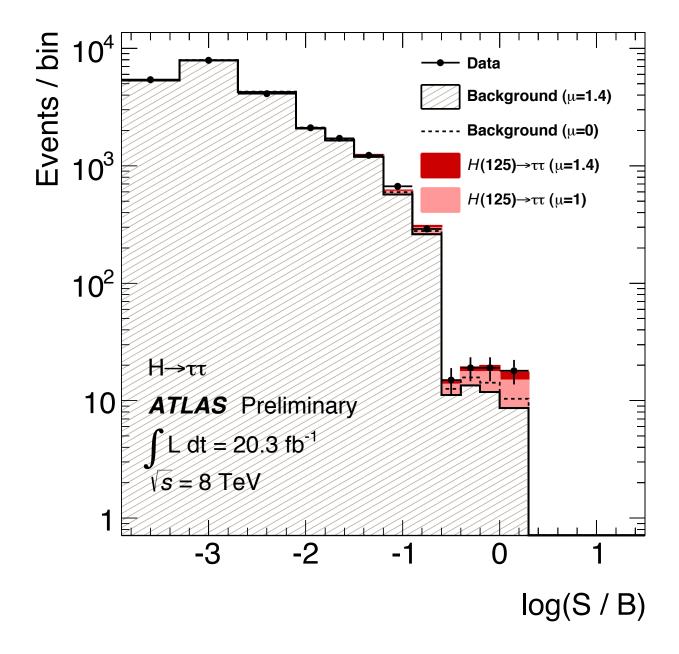
$$(P_1, \theta_1, \varphi_1)$$

$$(P_2, \theta_2, \varphi_2)$$

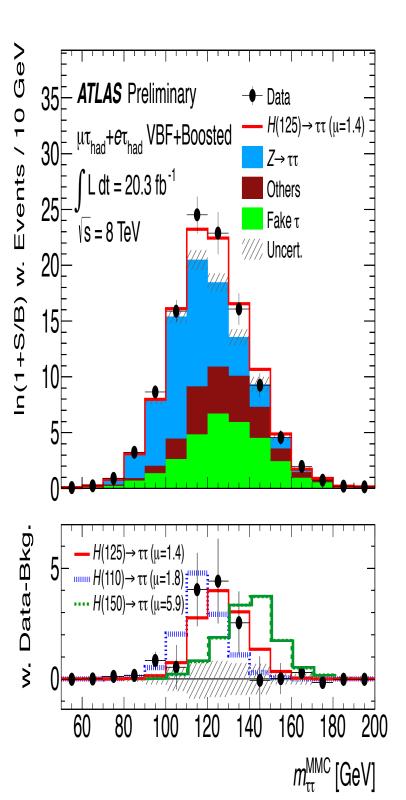
$$MET_X = (P \sin \theta_1) \cdot \cos \phi_1 + (P \sin \theta_2) \cdot \cos \phi_2
MET_Y = (P \sin \theta_1) \cdot \sin \phi_1 + (P \sin \theta_2) \cdot \sin \phi_2
M(\tau_1)^2 = 2 \cdot P \cdot P \cdot (1 - \cos(\theta_1 - \theta_1))
M(\tau_2)^2 = 2 \cdot P \cdot P \cdot (1 - \cos(\theta_2 - \theta_2))$$

Same as p41, but for combined channels





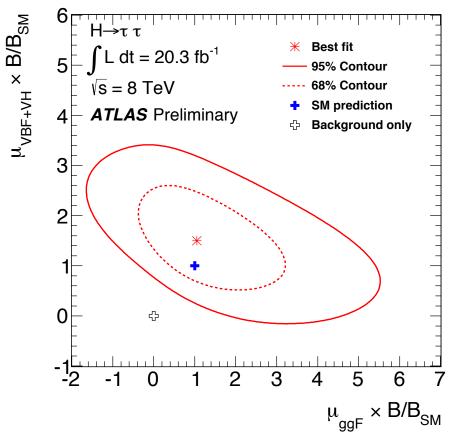
Same as p42 with legends

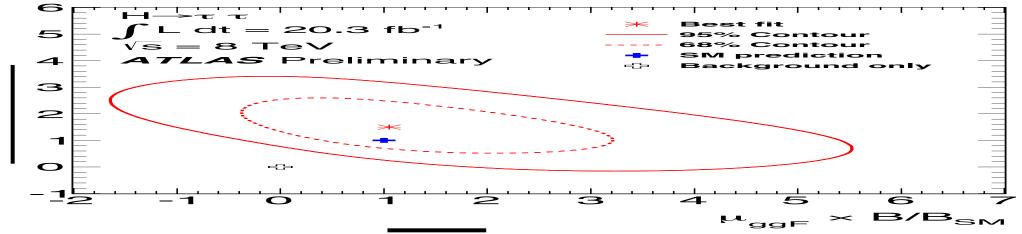




Same as p43, but stand-alone

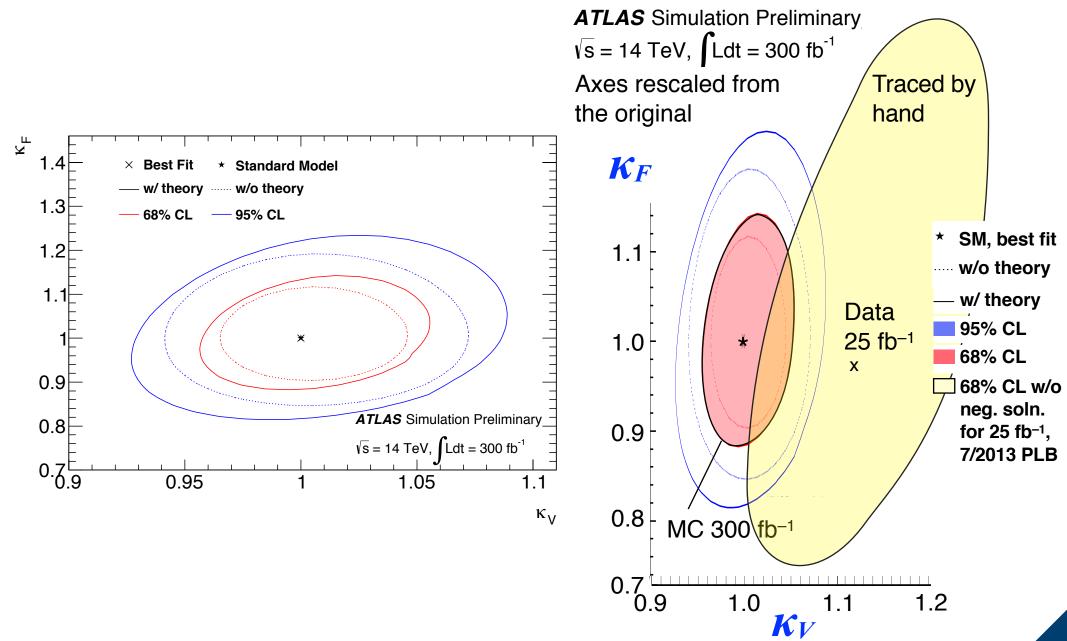






Future projections

https://cern.ch/Atlas/GROUPS/PHYSICS/PUBNOTES/ATL-PHYS-PUB-2013-014



Hong

That's all!